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# Evaluation of Post-Earthquake Axial Load Capacity of Circular Bridge Columns

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*Objective evaluation of the capacity of a bridge to carry self-weight and traffic loads after an earthquake is essential for a safe and timely reopening of the bridge. The ability of a bridge to function depends directly on the remaining capacity of the bridge columns to carry gravity and lateral loads. An experimental study on models of modern circular reinforced concrete bridge columns was performed to investigate the relationship between earthquake-induced damage in bridge columns and the capacity of the columns to carry axial load in a damaged condition. The earthquake-like damage was induced in the column specimens in bidirectional, quasi-static, lateral load tests. The damaged column specimens were then recentered to eliminate the residual drifts and tested in compression to failure to evaluate their remaining axial load strength. It was found that well-confined modern bridge columns lose approximately 20% of their axial load capacity after sustaining displacement ductility demands of 4.5.*

**Keywords:** axial tests; earthquake; post-earthquake lateral stiffness; quasi-static tests; reinforced concrete.

## INTRODUCTION

Modern highway bridges in California designed using the Caltrans Seismic Design Criteria<sup>1</sup> (SDC) are expected not to collapse during both frequent and rare earthquake events. Currently, design provisions aimed at preventing structural collapse are supported by numerous experimental data points and calibrated computer models.<sup>2,3</sup> However, there is no evidence that the bridge systems were tested for the remaining traffic load capacity after some damage was induced under lateral loading. Still, attempts were made toward analytical evaluation of the ability of a highway overpass bridge<sup>4</sup> or bridge columns<sup>5</sup> to carry traffic load after an earthquake. Due to the lack of the validated quantitative guidelines for estimating the remaining traffic load-carrying capacity of bridges after an earthquake, bridge inspectors and maintenance engineers provide an estimate of the capacity of the bridge to function based on qualitative observations, with each judgment founded on personal experience. Such subjective evaluation can be significantly improved if a model to provide a quantitative estimate of the remaining load-carrying capacity of bridge columns after an earthquake was developed and calibrated.

A combined experimental and analytical research program was performed to investigate the relationship between earthquake-induced damage in reinforced concrete bridge columns and the capacity of the columns in such damaged condition.<sup>6</sup> This program comprised one axial load test, three quasi-static cyclic tests, and two hybrid model earthquake response simulations on scaled models of typical circular

**Table 1—Test matrix**

Specimen designation	Ductility target	Test sequences
Base0	0	Axial
Base15	1.5	Lateral and axial
Base30	3.0	Lateral and axial
Base45	4.5	Lateral and axial

bridge columns used in modern bridges in California. In this paper, the outcomes of the quasi-static cyclic part of the experimental program are presented. In the first stage of the quasi-static testing procedure, three column specimens were tested by applying a bidirectional quasi-static incremental lateral displacement protocol with circular orbits of displacement up to the predetermined displacement ductility targets of 1.5, 3, and 4.5. In the second stage of the testing procedure, an undamaged column specimen and the three damaged specimens with no permanent drifts were subjected to a monotonically increasing axial force up to failure. The specimens are listed in Table 1. These results support evaluations of post-earthquake traffic load capacities of bridges with well-confined reinforced concrete columns.

## RESEARCH SIGNIFICANCE

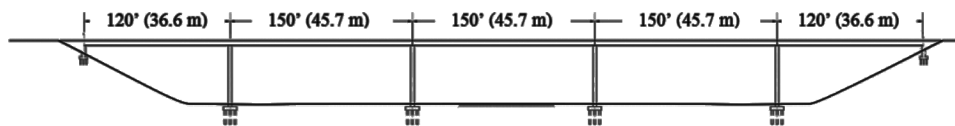
Reliable evaluation of the capacity of a bridge to carry self-weight and traffic loads is essential for a safe and timely re-opening of the bridge after an earthquake. Columns of modern California bridges are designed to develop significant flexural deformation ductility without shear failure and prevent bridge collapse. An experimental and analytical evaluation of earthquake-damaged modern bridge columns is used to quantify their axial load capacity and to develop reliable models for objective evaluation of the ability of a modern bridge to perform as intended after an earthquake: continue to safely carry traffic load.

## EXPERIMENTAL INVESTIGATION

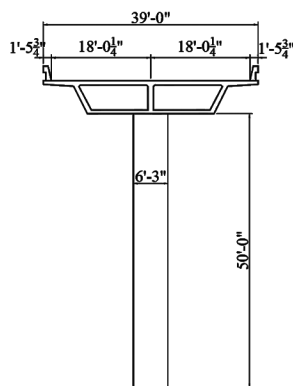
Ketchum et al.<sup>7</sup> developed a series of highway overpass bridges designed in accordance with the Caltrans SDC<sup>1</sup> in a recent PEER Center study. Bridge Type 11 (shown in Fig. 1)—typical for tall overpass bridges—was chosen as a prototype for this experimental study. The bridge is a five-

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(a) Bridge elevation.



1' = 1 ft = 30.48 cm, 1" = 1 in. = 2.54 cm

(b) Bridge Type 11 column.

Fig. 1—Prototype Caltrans bridge.<sup>7</sup>

span single-column-bent overpass with 120 ft (36.58 m) edge spans, 150 ft (45.72 m) inner spans, a 39 ft (11.89 m) wide deck, and 50 ft (15.24 m) tall circular columns. The two principal parameters that affect the remaining axial capacity of bridge columns are the column aspect ratio  $H/D$  and the column shear strength (or transverse reinforcement ratio  $\rho_t$ ).<sup>8</sup> Different possible values of these two parameters, bounded by the provisions of the Caltrans SDC,<sup>1</sup> were investigated.<sup>6</sup> Values of  $H/D = 8$  and  $\rho_t = 0.75\%$  were selected for the columns of the prototype bridge. The columns are modeled with specimens referred to herein as the Base specimens. The Base specimens are cantilever columns representing the bottom half of the prototype bridge columns. The specimens were tested in a single-curvature-bending-using loading pattern that will induce displacement ductilities observed in columns of the prototype bridge for the two bridge directions: transverse and longitudinal.

### Specimen geometry, reinforcement, and materials

The geometry and the reinforcement of a Base specimen are detailed in Fig. 2. The specimen has a 73.75 in. (1.875 m) tall, 16 in. (0.4 m) diameter circular column, and a square (84 x 84 in. [2.13 x 2.13 m]), 24 in. (0.61 m) high foundation block. The effective height of the specimen column, from its base to the level where lateral load is applied, is 64 in. (1.625 m), giving it an aspect ratio of  $L/D = 4$ . The 9.75 in. (0.25 m) extension accommodates the installation of the 0.5 in. (13 mm) thick, 16 in. (0.4 m) tall steel jacket to attach the actuators.

The column has 12 longitudinal Grade 60 (nominal yield stress in tension is 60 ksi [420 MPa]) No. 4 [Ø13] reinforcing bars placed around its perimeter. The transverse steel reinforcement is a high-strength A82 (nominal yield stress in tension is 80 ksi [550 MPa]) W3.5 (0.211 in.

[5.4 mm]) continuous spiral with a center-to-center spacing of 1.25 in. [31.75 mm]. The concrete cover is 0.5 in. (13 mm). The specified unconfined compressive strength of the concrete was 5 ksi (34.5 MPa). Table 2 shows the specified and the actual strengths of the longitudinal steel, the spiral steel, and the concrete.

### Loading protocol

The loading pattern for the Base specimens was selected to represent, as closely as possible, the motion experienced by a column of the prototype overpass bridge in an earthquake. The motion of the bridge column excited by different three-component ground motions is examined using a finite element model of the prototype bridge made in OpenSees.<sup>9</sup> Two ground motion suites with 20 records per suite, representing near-field and far-field ground motions, were used. The displacement orbits of the tops of the prototype bridge columns were traced during the nonlinear time history response analyses for the 40 selected ground motions. Because of the different bridge column boundary conditions for bending in the longitudinal (fixed-fixed) and transverse (fixed-free) directions of the bridge, appropriately scaled displacement histories applied to the cantilever bridge column model would not reproduce the deformation state of the prototype. To achieve the close correspondence of deformation states between the model and the prototype, the displacement history of the prototype bridge column had to be normalized by its yield displacements, different in different bridge directions. Therefore, the displacement orbits applied on the model were expressed in terms of displacement ductility. Although the displacements of the tops of the bridge columns were larger in the transverse direction than in the longitudinal bridge direction, the ductility orbits were proportional in the two bridge directions for most of the

**Table 2—Bridge column specimen material properties**

Material	Specified <sup>1</sup> , ksi (MPa)			Actual, ksi (MPa)			
	Yield	Ultimate	Maximum stress	Yield	Ultimate	Test	Maximum stress
Steel, longitudinal	60 (420)	80 (550)	—	70.7 (487)	120 (830)	—	—
Steel, spiral	80 (550)	—	—	95 (655)	106 (730)	—	—
Concrete	—	—	5.0 (34.5)	—	—	Base15-L	5.05 (34.82)
						Base30-L	4.96 (34.2)
						Base45-L	5.09 (35.09)
						Base0	5.48 (37.8)

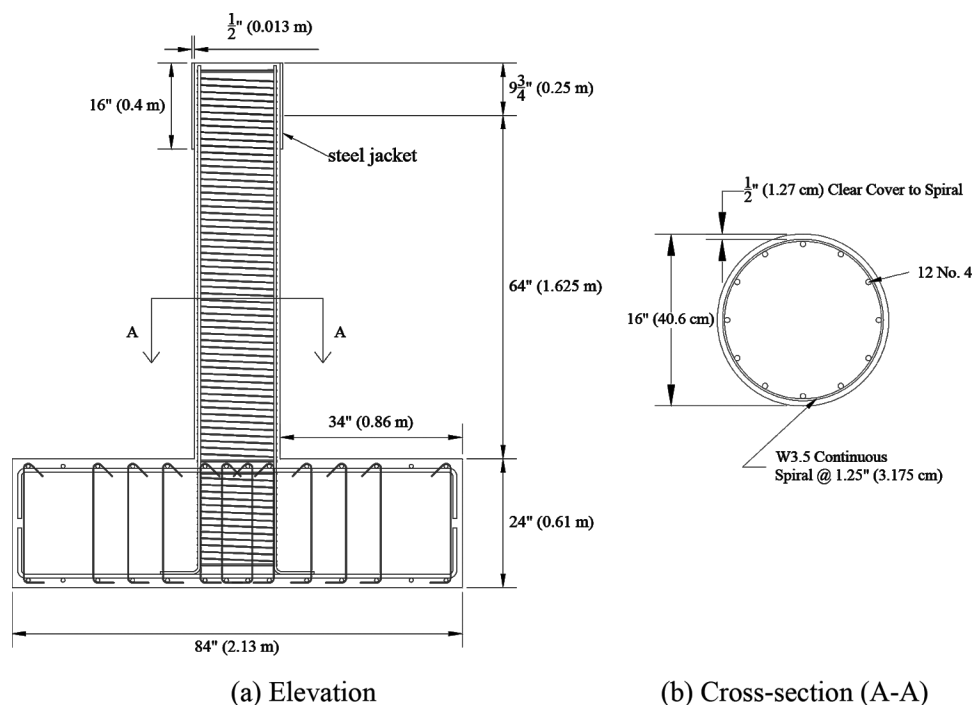


Fig. 2—Geometry and reinforcement of Base specimens.

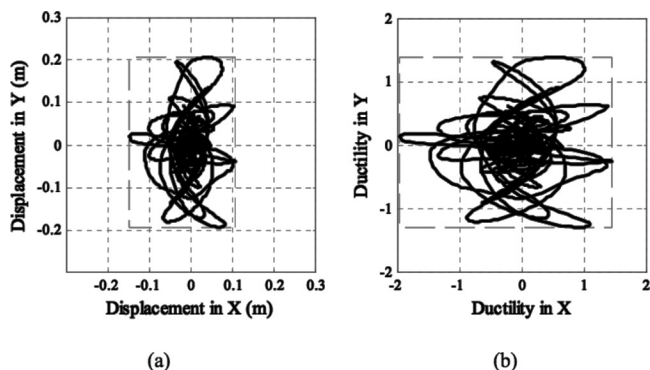


Fig. 3—Displacement orbits at top of bridge column: (a) absolute displacements; and (b) normalized displacements.

ground motions. Normalization of the displacement orbits for one ground motion is shown in Fig. 3.

A circular loading pattern was selected for this experimental program because this loading pattern imposes larger sustained displacement ductility demand than was observed in any of the considered ground motions.<sup>6</sup> Given that the goal of the experimental study is to establish the remaining

load-carrying capacity of damaged bridge columns, imposing the demand with a circular loading pattern is conservative. The selected circular loading pattern is defined by two cycles at each displacement level. In the first cycle, starting from the initial position O, the specimen control point (the center of the column cross section at the level of the actuators) is displaced toward position A, followed by motion that traces a full circle clockwise until point B (black line in Fig. 4). The specimen control point is then moved back to the initial position O to finish the first cycle. The second cycle is a counterclockwise path O-C-D-O (gray line in Fig. 4).

The maximum displacement ductility demand imposed on a column specimen in this study was set at 4.5. It is selected to be slightly larger than Caltrans SDC<sup>1</sup> design target displacement ductility of 4 and is on the conservative side. Caltrans SDC<sup>1</sup> design is based on experimental evidence that well-confined reinforced concrete circular column can sustain a displacement ductility demand of 4 without developing significant flexural or shear damage.<sup>10-12</sup> Two additional displacement ductility demand targets of 3.0 and 1.5 were selected to uniformly sample the demand space and evaluate the remaining axial capacity of less-damaged specimens.

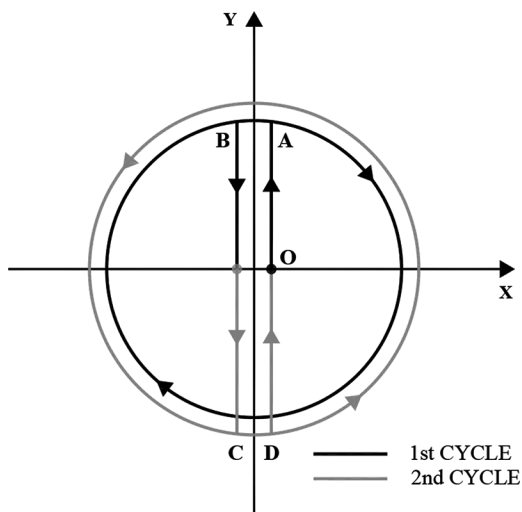


Fig. 4—Bidirectional displacement pattern.

The magnitudes of displacement demand increments for the quasi-static tests were defined following the recommendations in ACI 374.1-05<sup>13</sup> and SAC/BD-00/10<sup>14</sup> for a major far-field earthquake event. For the Base45 specimen, the increments in the magnitude of the displacement ductility were: 0.08, 0.2, 0.4, 1.0, 1.5, 2.0, 3.0, and 4.5. The pre-yield displacement levels include: a displacement level prior to cracking; two levels between cracking and yielding; and a level approximately corresponding to the first yield of the longitudinal reinforcement. After the yield level, the displacement ductility magnitude of each subsequent primary cycle is 1.25 to 1.5 times larger than its predecessor to provide data of the damage accumulation. The selected two-cycle displacement pattern provides data on specimen strength degradation due to sustained displacement demand. After yielding, each primary displacement ductility demand level was followed by a small displacement level equal to one-third of the previous primary displacement level to evaluate specimen stiffness degradation. The displacement histories for the Base15 and Base30 specimens were obtained by scaling the displacement history for the Base45 specimen by 0.3 and 0.6, respectively. This way, the number of primary cycles in the loading history was the same for all tests to maintain similitude with respect to the duration and number of excursions imposed by real ground motions. Displacement ductility levels of primary cycles for the three lateral displacement tests are given in Table 3. After completing the cycles at the target displacement ductility level, the specimens are cycled through a series of small deformation cycles decreasing in magnitude to zero to eliminate residual lateral forces and deformations and recenter the specimens. This was necessary for the subsequent axial load capacity tests on damaged specimens.

The lateral deformation tests were conducted with the column specimen under a constant axial load equal to 10% of the column nominal axial load capacity. This axial load magnitude is consistent with typical bridge column gravity load magnitudes, and slightly larger than the gravity load magnitude in the columns of the prototype bridge.

**Table 3—Displacement ductility levels of primary cycles**

Cycles	Base15	Base30	Base45
Cycle 1	0.02	0.05	0.08
Cycle 2	0.06	0.10	0.20
Cycle 3	0.12	0.25	0.40
Cycle 4	0.30	0.60	1.00
Cycle 5	0.45	1.00	1.50
Cycle 6	0.60	1.25	2.00
Cycle 7	1.00	1.80	3.00
Cycle 8	1.50	3.00	4.50

### Test setup

In the first phase of the test, lateral and axial loads were applied at the top of the column. The lateral displacement pattern was applied using the two servo-controlled hydraulic actuators, as shown in Fig. 5. An axial load of 100 kip (445 kN), equal to 10% of the column's nominal axial load capacity, was applied through a spreader beam using pressure jacks and post-tensioning rods placed on each side of the column (Fig. 5). Spherical hinges (three-dimensional swivels) were provided at both ends of the rods to avoid bending of the rods during circular motion of the column top in the horizontal plane. A hinge connection (two-dimensional hinge) was placed between the spreader beam and the column such that the spreader beam remained horizontal in the plane of the rods during lateral motion of the column to avoid buckling of the rods. Geometry of the axial load application apparatus was monitored throughout the test in order to subtract the horizontal components of the force in the post-tensioned rods from the forces applied by the actuators and compute the actual lateral resistance of the column.

In the second phase of the test, the three laterally damaged column specimens and one undamaged column specimen were compressed axially to induce axial failure in the columns. A compression-tension axial load machine with a capacity of 1814 tonnes (4 million lb) and a constant rate of loading was used to accomplish this (Fig. 6). Longitudinal reinforcement strain measurements were used to evaluate presence of bending moment in the specimens during the axial load test based on which the extent of geometric imperfections was estimated.

### ANALYTICAL INVESTIGATION

The experimental results, the hysteretic curves from quasi-static tests, and the axial force-deformation responses from the compression tests were numerically simulated using the force-based fiber beam-column element<sup>15</sup> of OpenSees.<sup>9</sup> The force-based beam-column element is a line element discretized using the Gauss-Lobatto integration scheme with the integration points at the ends of the element and along the element length. Fiber cross sections are assigned to the integration points. The cross sections of the element are represented as assemblages of longitudinally oriented, unidirectional steel and concrete fibers. Each material in the cross section has a uniaxial stress-strain relation assigned



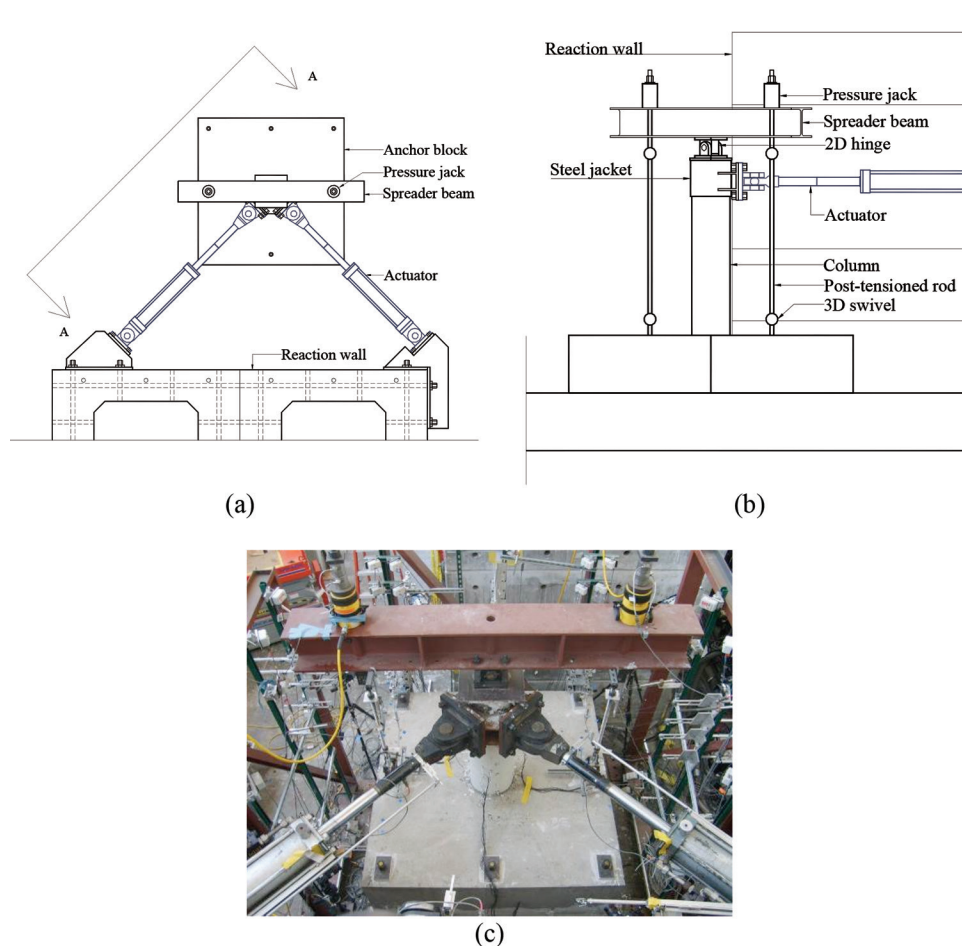


Fig. 5—Lateral test setup: (a) plain view; (b) elevation (A-A); and (c) photo of test setup.

to it. The deformation compatibility of the cross-section fibers is enforced assuming that plane sections remain plane after deformation.

In a flexibility-based formulation of this element, nodal loads imposed on the element ends are used to calculate axial force and moment distribution along the length of the element. Given the moment and axial load values at each integration point, the curvature and the axial deformation of a section are subsequently computed. Because the response of the cross-section fiber materials may be nonlinear, deformation state determination of the cross section may be iterative. The deformation of the element is finally obtained through weighted integration of the section deformations along the length of the member.

A non-shear-critical column with hardening section behavior was modeled using five integration points<sup>16</sup> along its length. The cross sections of the beam-column element had 132 fibers (24 for unconfined cover, 96 for confined core, and 12 for reinforcing steel) distributed nonuniformly<sup>16</sup> and arranged as shown in Fig. 7. To model the reinforced concrete section, the fiber section that accounts for the axial-bending interaction was divided into three parts: concrete cover; concrete core; and reinforcing steel. Fibers of the concrete cover (unconfined concrete) and concrete core (confined concrete) were modeled using the OpenSees

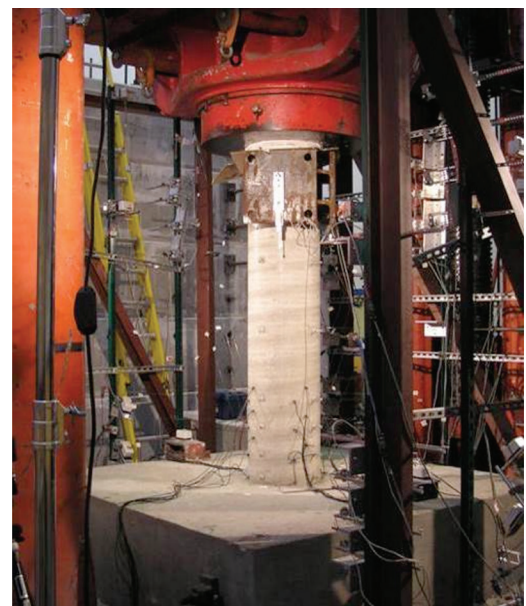


Fig. 6—Axial test setup.

*Concrete01* uniaxial material that uses the Kent-Scott-Park model<sup>17</sup> to represent the stress-strain relationship of concrete in compression. Reinforcing steel fibers (longitudinal bars) were modeled using the OpenSees *Steel02* uniaxial mate-

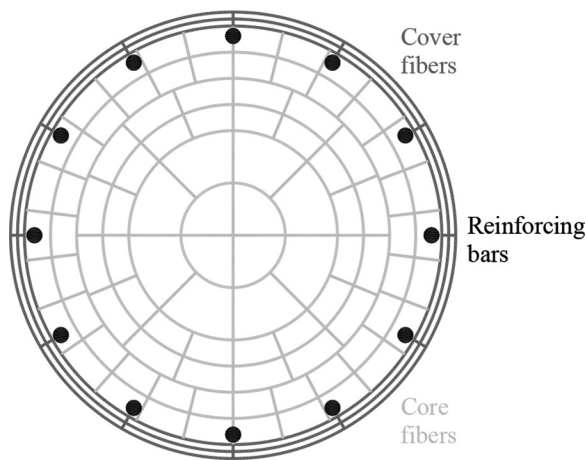


Fig. 7—Nonuniform arrangement of fibers in column section.<sup>16</sup>

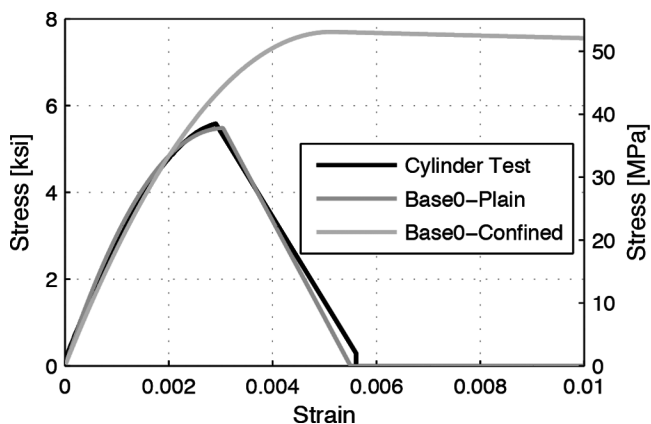


Fig. 8—Calibration of the Concrete01 material using data from compression test of concrete cylinders.

rial that uses the Giuffre-Manegotto-Pinto uniaxial strain-hardening material model.<sup>18</sup> Transverse reinforcement was not modeled directly but its effect was accounted for through uniaxial stress-strain relationship of the confined concrete core<sup>19</sup> assigned to core fibers.

The parameters of the *Steel02* and *Concrete01* uniaxial materials are given in Tables 4 and 5, respectively. The initial moduli of elasticity used to model plain  $E_c$  and confined concrete  $E_{cc}$  were calibrated from the concrete cylinder compression tests performed on the on the day of the tests (for example, Fig. 8). To define the confined concrete model, the maximum compressive strength  $f_{cc}'$  was calculated using Mander's equations,<sup>19</sup> the strain at the maximum compressive strength  $\epsilon_0$  was calculated from the initial modulus of elasticity for the *Concrete01* material ( $E_{cc} = 2f_{cc}'/\epsilon_0$ ), the concrete crushing strength  $f_{cu}$  was set to  $0.2f_{cc}'$ , and the strain at crushing strength of concrete  $\epsilon_{cu}$  was calculated using Eq. (1) and is a function of the post-peak degrading slope of concrete ( $kE_{cc}$ ). Equation (1) can only be used in conjunction with *Concrete01* material, as it is derived for the strain at the maximum compressive strength  $\epsilon_0$  of  $2f_{cc}'/E_{cc}$

$$\epsilon_{cu} = \frac{f_{cc}'(1+2k) - f_{cu}}{kE_{cc}} \quad (1)$$

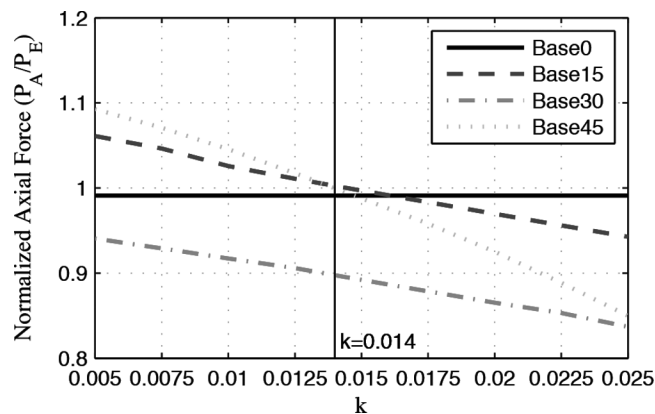


Fig. 9—Accuracy in prediction of column axial strength as function of ratio of initial to post-peak degrading slope of confined concrete ( $k$ ).

Table 4—Steel02 material model parameters

Material	$f_y$ , ksi (MPa)	$E_s$ , ksi (GPa)	$b$	$R_0$	$c_{R1}$	$c_{R2}$
Reinforcing steel	70.7 (490)*	29,000 (200)	0.025	15	0.925	0.15

\*From coupon tests.

Table 5—Concrete01 material model parameters

Material	$f_c'$	$\epsilon_0$	$f_{cu}$	$\epsilon_{cu}$
Concrete cover	$f_c'^*$	$2f_c'/E_c^\dagger$	0	0.0055
Concrete core	$f_{cc}'^*$	$2f_{cc}'/E_{cc}^\dagger$	$0.2f_{cc}'$	$\epsilon_{cu}^\S$

\*From test results on concrete cylinders (Table 2).

$^\dagger E_c, E_{cc}$  are initial moduli of elasticity (calibrated to match test results of concrete cylinders).

$^*$ Equation from Mander et al.<sup>19</sup>

$^\S$ Equation (1).

The post-peak degrading slope of concrete fibers has a significant effect on the accuracy of prediction of the remaining axial load strength of columns with the earthquake type of damage. If, during a lateral load test simulation, a concrete fiber strain exceeds the strain at the maximum compressive strength ( $\epsilon_0$ ), the peak strength that fiber can attain during the axial loading simulation phase is the strength that corresponds to the maximum strain reached during the lateral load test. This strength is smaller than the peak strength and depends on the post-peak degrading slope of the concrete fiber stress-strain model. Furthermore, the post-peak behavior is different for different fibers of the damaged section. While the post-peak degrading slope for the fibers of the concrete cover can be calibrated from the concrete cylinder compression tests (Fig. 8), the post-peak degrading slope for the fibers of the concrete core can be calibrated from the axial compression tests of the laterally damaged column specimens. For the tested column specimens and concrete modeled with the *Concrete01* OpenSees material, the post-peak degrading slope  $kE_{cc}$  of  $0.014E_{cc}$  was found to provide the best predictions of the axial load capacities (Fig. 9).

The specimen models were cantilevers with displacements restrained to zero at the bottom node. The two hori-

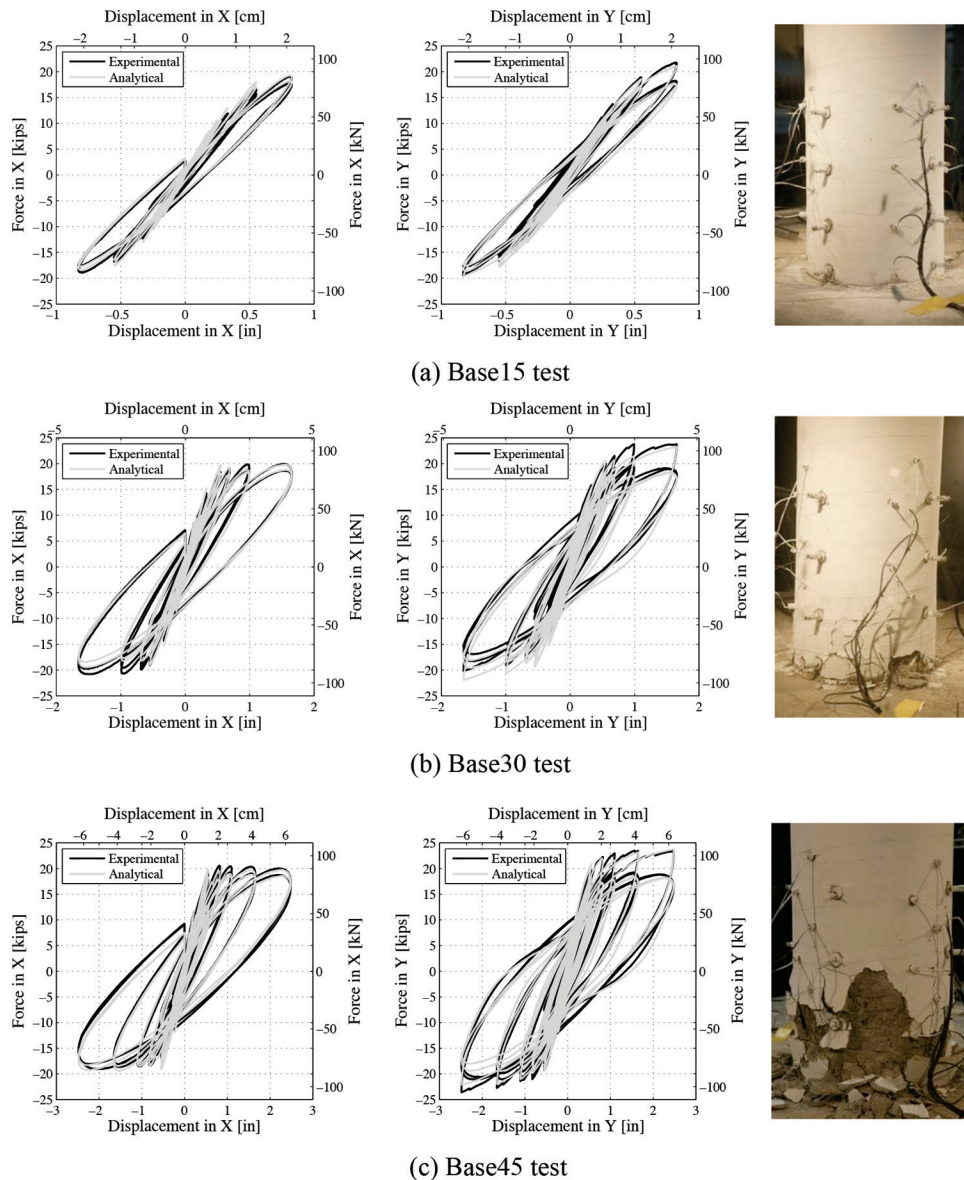


Fig. 10—Lateral force-deformation response curves in two major directions, and state of specimens after the quasi-static tests: (a) Base15; (b) Base30; and (c) Base45.

zontal displacements at the top of the specimens matched the displacements commanded during the test. The vertical force at the top of the element matched the vertical force applied and measured during the tests. The moments on the rotation and torsion degrees of freedom on the top node of the model were set to zero. The response of the specimen model was computed using nonlinear analysis, Newton-Raphson integration algorithm, and geometric transformation to account for  $P$ - $\Delta$  effect.

## RESULTS AND DISCUSSION

### Phase 1: Lateral displacement tests

The performance of the Base specimens during the bidirectional quasi-static tests is presented in Fig. 10. Experimental and analytical lateral force-displacement response curves for the two major directions of loading (X and Y) are accompanied by the final damage state of specimens for the three lateral tests. Responses obtained from the analytical model are in good agreement with the experimental results.

The Base15 specimen was laterally displaced up to the displacement ductility level of 1.5. Longitudinal reinforcement yielded first during the 1.0 ductility cycle. At the end of the test, the specimen was only slightly cracked. The horizontal cracks, uniformly distributed along the bottom half of the column, were less than 1/32 in. (0.8 mm) wide and approximately 6 in. (152 mm) apart (Fig. 10(a)). A bridge column in such a light damage state would be classified as being in Damage State 0 (defined by Mackie et al.<sup>20</sup>) and would likely require no repairs.

The Base30 specimen experienced significant yielding and strain hardening of the longitudinal column reinforcement and initiation of spalling of concrete in the plastic hinge region (Fig. 10(b)). After the longitudinal reinforcement began to yield (at a nominal displacement ductility of 0.9), the lateral resistance of the specimen slightly increased due to strain hardening of reinforcing bars, while its stiffness decreased with each subsequent test cycle. In the plastic hinge region of the column (the bottom 12 in. [305 mm]), the



distance between the cracks was 3 in. (76 mm) on average and the maximum width of the cracks during the test was approximately 1/16 in. (1.6 mm). Outside the plastic hinge region, the distance between the cracks was 6 in. (152 mm) on average with the widths of the cracks less than 1/32 in. (0.8 mm). Figure 10(b) shows horizontal cracks, vertical cracks, and some spalling of concrete at the bottom 8 in. (203 mm) of the column at the end of the test. Such a moderate damage state would put the column in Damage State 1 (defined by Mackie et al.<sup>20</sup>). The bridge columns with such earthquake damage are likely to require repairs such as epoxy injection into the plastic hinge cracks and cover patching.

The target displacement ductility demand imposed on specimen Base45 (4.5) slightly exceeds the Caltrans SDC design target (4.0). This specimen experienced extensive yielding of the reinforcing steel, spalling of the concrete cover, as well as a crushing and reduction in volume of the concrete core in the plastic hinge region. First yielding of a reinforcing bar occurred at a displacement corresponding to nominal displacement ductility of 0.75. The specimen response was highly nonlinear (Fig. 10(c)), with the expected gradual stiffness degradation and gradual strength increase. Based on the crack distribution along the height of the column during the test, the column was divided into three regions: 1) the plastic hinge region (the bottom 12 in. [305 mm] of column); 2) the intermediate region (12 in. [305 mm] of the column next to the plastic hinge region); and 3) the elastic region (the top 40 in. [1.02 m] of the column). In the plastic hinge region, the distance between the cracks was 3 in. (76 mm) on average, and the maximum width of the cracks during the test was approximately 1/8 in. (3.2 mm). Very extensive spalling of concrete and a reduction in volume of the concrete core were observed. In the intermediate region, the distance between the cracks was 4 in. (102 mm) on average, with the widths of the cracks less than 1/16 in. (1.6 mm). In the elastic region, the distance between the cracks was 6 in. (152 mm) on average, with the widths of the cracks less than 1/32 in. (0.8 mm). Such column damage would be classified into Damage State 2 (defined by Mackie et al.<sup>20</sup>), requiring significant repairs but not requiring replacement.

To analyze bridges for an aftershock, it is important to know effective stiffness  $k_{eff}$  of bridge columns after the main shock. This stiffness is computed using the response data measured during the small-displacement test cycles that followed the primary cycles. It represents the tangent slope at zero force of force-displacement curve for the small-displacement test cycles. The effective stiffness at yield  $k_{eff,y}$  of tested columns, representing the slope of force-displacement curve between origin and the point designating the first reinforcing bar yield, is used as a reference to measure stiffness degradation during the quasi-static tests. The ratio of column effective stiffness over column stiffness at yield  $k_{eff}/k_{eff,y}$  is given in Table 6 for each specimen. The effective stiffness of the damaged column decreases such that, at displacement ductility level of 4.5, it is approximately half that of the effective stiffness of the same column at yield.

**Table 6—Ratio of column effective stiffness to column stiffness at yield**

Ductility	Base15	Base30	Base45
1.0	1.00	1.00	1.00
1.2	—	0.85	—
1.5	0.83	—	0.75
1.8	—	0.73	—
2.0	—	—	0.63
3.0	—	0.54	0.52
4.5	—	—	0.44

## Phase 2: Axial load tests

The experimentally measured and numerically simulated axial force-deformation curves for one undamaged and three damaged specimens are shown in Fig. 11. Because the tests are performed using a force-controlled compression machine, the axial force-displacement relationships are realistic up to the peak force point. The experimental and analytical axial load strengths, the remaining axial strength after damage was induced during the Phase 1 of lateral deformation tests, and the errors in predicting the axial strengths are summarized in Table 7.

Testing of the Base0 column specimen was performed to establish the axial strength of an undamaged column specimen: it was 1459 kip (6490 kN). The axial failure resulted from the formation of the shear failure plane in the bottom half of the Base0 specimen column (Fig. 11(a)). The analytical model predicted the axial strength of the undamaged specimen to be 1446 kip (6434 kN) (error is 0.9%). An equally accurate prediction of the axial strength can be achieved using Eq. (2)

$$P_o = f_{cc}' \cdot (A_{eff} - A_{st}) + f_y \cdot A_{st} \quad (2)$$

if Mander's equations<sup>19</sup> are used to calculate the area of the confined core  $A_{eff}$  and the compressive strength of confined concrete  $f_{cc}'$ , based on measured strengths of plain concrete, reinforcing bars, and spiral. Using Eq. (2), the axial strength of the column specimen,  $P_o$ , is estimated to be 1455 kip (6472 kN), resulting in the ratio of estimated to measured strength ( $P_o/P_m$ ) of 0.997. However, if confinement of the column is not accounted for and the axial strength is calculated following Eq. (3) (per ACI 318<sup>21</sup> and Caltrans BDS<sup>22</sup>)

$$P_n = 0.85 \cdot [0.85 \cdot f_c' \cdot (A_g - A_{st}) + f_y \cdot A_{st}] \quad (3)$$

The estimated axial strength of the column is significantly smaller than the measured axial strength ( $P_n/P_m = 0.57$ ).

The remaining axial load strength of the Base15 column specimen was 1137 kip (5057 kN)—78% of the original axial strength. Longitudinal reinforcement strain measurements during the axial load tests indicated a bending moment corresponding to a lateral drift of approximately 1%. A post-test inspection of the specimen indicated that the specimen was not accurately leveled when it was installed for axial load testing. The resulting second-order bending moment and the corresponding shear caused a shear crack in the top



half of the Base15 column specimen (Fig. 11(b)). To numerically simulate the axial strength of the damaged column with the presence of residual drift, the top of the column model was first laterally displaced following the loading pattern of the quasi-static test, then laterally displaced to the observed drift ratio of 1%, and lastly was axially compressed (push-under analysis) to induce the axial failure. The analytically predicted axial strength of the Base15 column specimen was 1141 kip (5075 kN)—only 0.38% greater than the experimentally measured.

The remaining axial load strength of the Base30 column specimen was 1355 kip (6027 kN)—93% of the original axial strength. The specimen was properly leveled before the axial load tests; lateral drift was not present during this phase of testing. The axial failure resulted from the formation of the shear failure plane in the bottom half of the Base30 specimen column (Fig. 11(c)). The analytically predicted axial strength was 1217 kip (5455 kN)—10.2% smaller than the experimentally measured.

The remaining axial load strength of the Base45 column specimen was 1170 kip (5204 kN)—80% of the original axial

strength. The specimen was properly leveled before the axial load tests but the head of the testing machine was not accurately attached to the specimen: it had a small angle relative to the specimen. Thus, the force imposed on the column had two components: a dominant axial component and a small horizontal component. This initiated a failure slightly earlier than what would be anticipated if there were no flaws in the test setup. The axial failure started at the top of the column and progressed toward the bottom of the column, resulting in the formation of the shear failure plane along the total height of the column (Fig. 11(d)). The misalignment of the test machine head was not measured prior to test and therefore could not be included in analytical simulation of the axial load test. Although the analytical model provides a good estimate (1173 kip [5217 kN], 0.24% error), it is hard to anticipate the magnitude of the error if the flaws in the test setup were included in the analysis.

Axial load degradation curve with respect to displacement ductility is developed based on experimental results. It is a bilinear function (Fig. 12) fitted through experimental data from compression tests on column specimens with lateral damage and no geometric imperfections of the damaged specimens. It includes the result of the Base45 specimen, thus providing a conservative estimate of the residual axial strength. It is assumed that there are no losses in the axial strength in the columns if the lateral displacement ductility is less than 1.5. This assumption is based on the damage state of the Base15 specimen after the lateral test (Damage State 0) and on minor loss in axial strength (7%) of the Base30 specimen. The bilinear fit is

**Table 7—Remaining axial strengths following quasi-static tests: experimental versus analytical**

Test	Experiment, kip (kN)	Analytical, kip (kN)	Numerical error, %	$P/P_o$
Base0	1459 (6490)	1446 (6434)	0.9	1.0
Base15	1137 (5058)	1141 (5075)	0.38	0.78
Base30	1355 (6027)	1217 (5413)	10.17	0.93
Base45	1170 (5204)	1173 (5217)	0.24	0.80

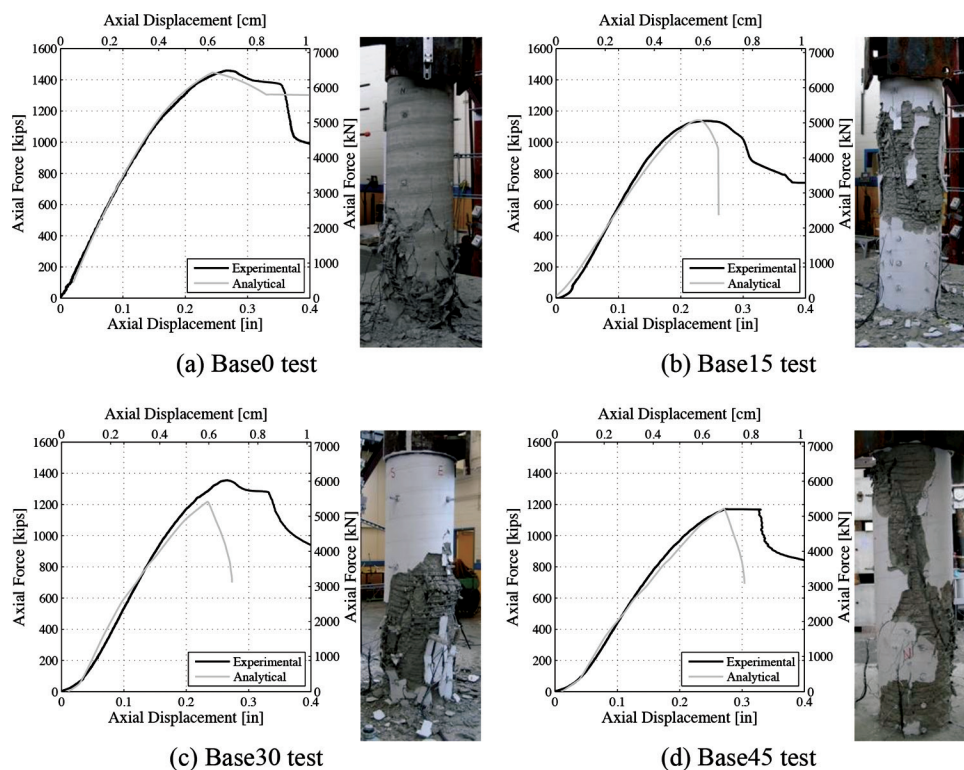


Fig. 11—Axial force-displacement relationships and state of specimens after axial load tests: (a) Base0; (b) Base15; (c) Base30; and (d) Base45.

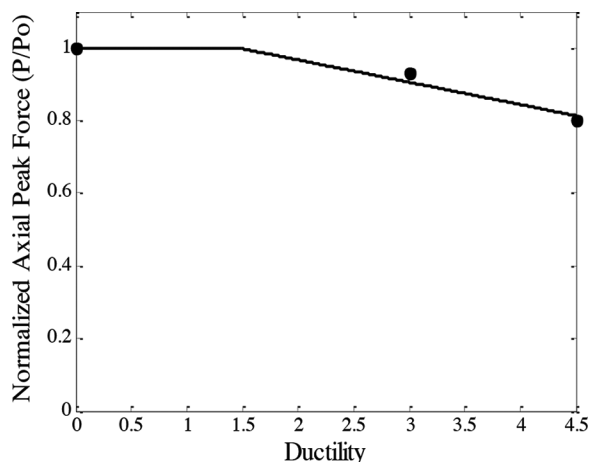


Fig. 12—Column axial load capacity degradation data and a bilinear fit (Eq.(4)).

$$\frac{P}{P_o} = \begin{cases} 1 & \text{if } \mu < 1.5 \\ 1.09 - 0.0615 \cdot \mu & \text{if } \mu \geq 1.5 \end{cases} \quad (4)$$

## CONCLUSIONS

Tests designed to evaluate the axial load capacity of tall modern bridge columns damaged in bidirectional quasi-static cyclic tests up to nominal displacement ductility levels of 1.5, 3, and 4.5 were performed. The following conclusions are drawn:

1. The axial strength and stiffness of a column degrade with the increase in the amount of damage induced by lateral displacement of the column. Well-confined modern bridge columns with no residual post-earthquake lateral drifts lose approximately 20% of their axial load capacity after sustaining displacement ductility demand of 4.5, which is slightly larger than the Caltrans SDC design target displacement ductility demand of 4.0. Therefore, modern bridge columns designed according to Caltrans SDC<sup>1</sup> will not experience a significant loss of axial load-carrying capacity after a design-level earthquake. No axial load capacity loss is expected for displacement ductility demands less or equal to 1.5. Axial load capacity loss may conservatively be assumed to vary linearly with increasing displacement ductility demand. The residual post-earthquake displacements have a significant effect on the axial capacity of the column: the column that sustained the displacement ductility demand of 1.5 with no significant local damage but with a residual lateral drift of 1% experienced a reduction in axial load capacity of 22%.

2. Damage states observed during bidirectional lateral displacement tests correspond well to Damage State descriptions defined by Mackie et al.<sup>20</sup> Namely, virtually no damage observed at displacement ductility demand of 1.5 corresponds to Damage State 0; moderate damage characterized by cover spalling and pronounced yielding of longitudinal reinforcement at displacement ductility demand of 3.0 corresponds to Damage State 1; significant damage to the cover and core concrete, very pronounced yielding of longitudinal and transverse reinforcement, however without any rein-

forcement fractures, at ductility demand of 4.5 corresponds to Damage State 2. These data can be used to calibrate repair cost and time models for modern reinforced concrete bridge columns.

3. The effective lateral stiffness of a damaged column decreases with increasing displacement ductility demand. For example, the effective stiffness of the column that experienced a displacement ductility demand of 4.5 is slightly less than half of the undamaged column effective stiffness. This information can be used to estimate the dynamic characteristics of damaged bridges for aftershock response analysis.

4. The circular bidirectional displacement ductility pattern developed in this study imposes sustained constant displacement ductility demands on the column that very likely exceed the displacement ductility demands imposed by the recorded ground motions. Therefore, this load pattern is a conservative estimate of actual ground motion demands and could be used to investigate residual post-earthquake capacities or function capabilities of damaged structures.

5. A non-shear-critical bridge column in the range of strain-hardening response can be modeled using fiber cross-section force-based beam-column element with distributed plasticity. Two OpenSees material models are recommended to model the steel and concrete unconfined cover and confined core fibers that define a cross section of the element: the *Steel02* material model for reinforcing steel, and the *Concrete01* material model for concrete fibers. Mander's equations<sup>19</sup> are recommended to calculate the compressive strengths of confined concrete. If the material test data for concrete are available, it is recommended to calibrate the *Concrete01* material model to match the test data. The post-peak degrading slope of the confined concrete core ( $kE_{cc}$ ) has a great influence on the accuracy of the response predictions. For the tested column specimens, the post-peak degrading slope  $kE_{cc}$  of  $0.014E_{cc}$  was found to provide accurate predictions of the axial load capacities.

The analytical models of the bridge columns presented in this paper were validated through hybrid simulations of the seismic response of an entire bridge followed by the truck load and the axial compression tests of damaged bridge columns.<sup>23</sup> Validated model of a typical bridge was used in an extensive parametric study to evaluate its post-earthquake truck load capacity. The parametric study examined the effects of different ground motions and bridge modeling parameters, including boundary conditions imposed by the bridge abutments, the location of the truck load on the bridge, the amount of bridge column damage, and the amount of bridge column residual drift. Envelopes of bridge responses developed for ranges of the considered parameters were used to evaluate bridge safety and ability to function following an earthquake.<sup>6</sup>

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**NOTES:**

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