

Performance-Based Analysis and Design for California Ordinary Standard Bridges

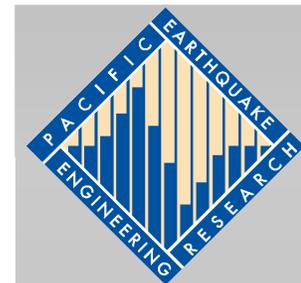
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and

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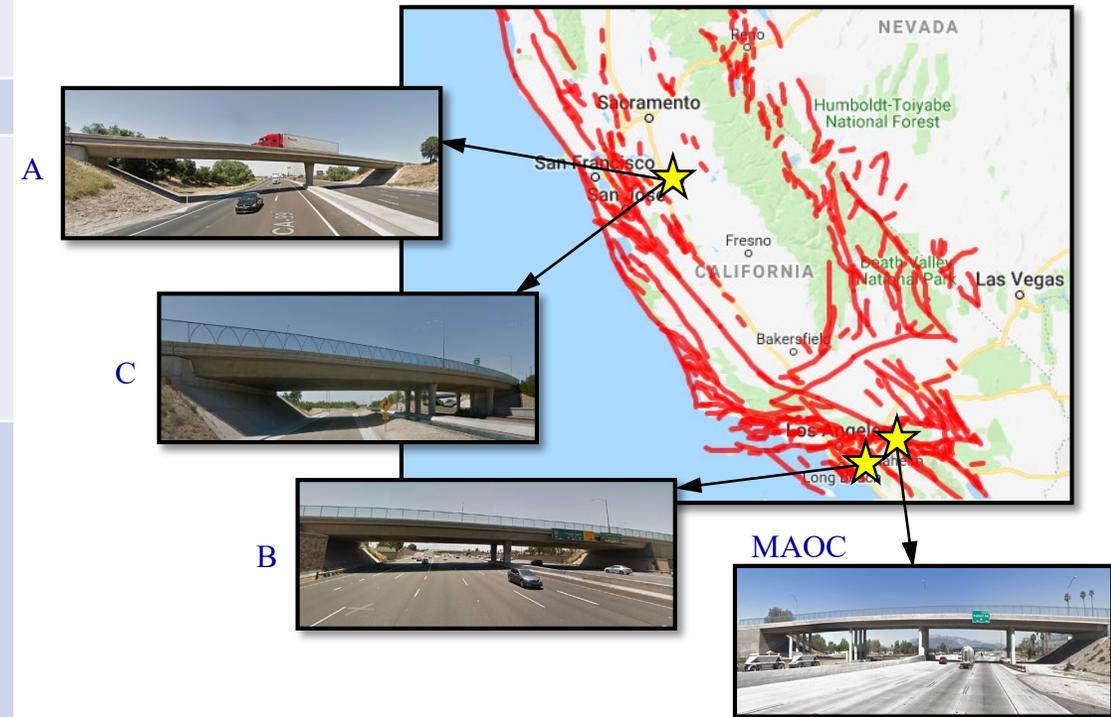
2018 PEER Annual Meeting
January 17-18, Los Angeles, CA

Outline

- Testbed California Ordinary Standard Bridges (OSBs) and Computational Models
- PEER PBEE Assessment Methodology
- Parametric Probabilistic Seismic Performance Assessment Framework
- Simplified Risk-Targeted Performance-Based Seismic Design (PBSD) Method
- Concluding Remarks & Recommendations for Future Work

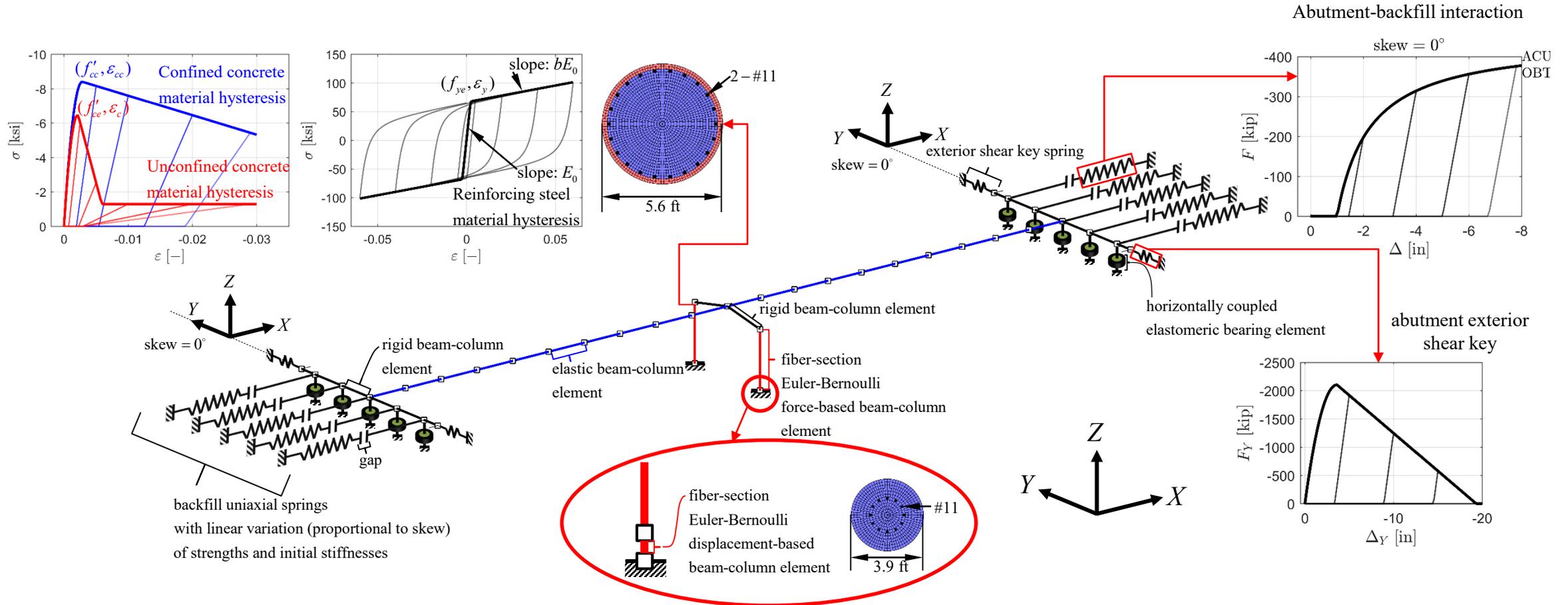
Ordinary Standard Bridge (OSB) Testbeds Considered

Bridge Designation	A	B	C	MAOC
Name	Jack Tone Road Overcrossing	La Veta Avenue Overcrossing	Jack Tone Road Overhead	Massachusetts Avenue Overcrossing
Location: City, State	Ripon, CA	Tustin, CA	Ripon, CA	San Bernardino, CA
Total Length	220.4 ft	299.8 ft	418.2 ft	413.4 ft
Number of Spans and Span Length	2 Span 1: 108.6 ft Span 2: 111.8 ft	2 Span 1: 154.8 ft Span 2: 145 ft	3 Span 1: 156.2 ft Span 2: 144 ft Span 3: 118 ft	5 Span 1: 49.2 ft Span 2: 94.5 ft Span 3: 91.9 ft Span 4: 99.7 ft Span 5: 78.1 ft
Type of Column Bent	Single Column (RC Circular) Column Diameter: 5.5 ft Column Height: 19.7 ft	Two-column (RC Circular) Column Diameter: 5.5 ft Column Height: 22.0 ft	Three-column (RC Circular) Column Diameter: 5.5 ft Column Height: 24.6 ft	Four-column (RC Circular) Column Diameter: 4.0 ft Column Heights: 29.5 ft, 31.5 ft, 30.7 ft, 27.4 ft
Skew	33 degrees	0 degrees	36 degrees	8 degrees

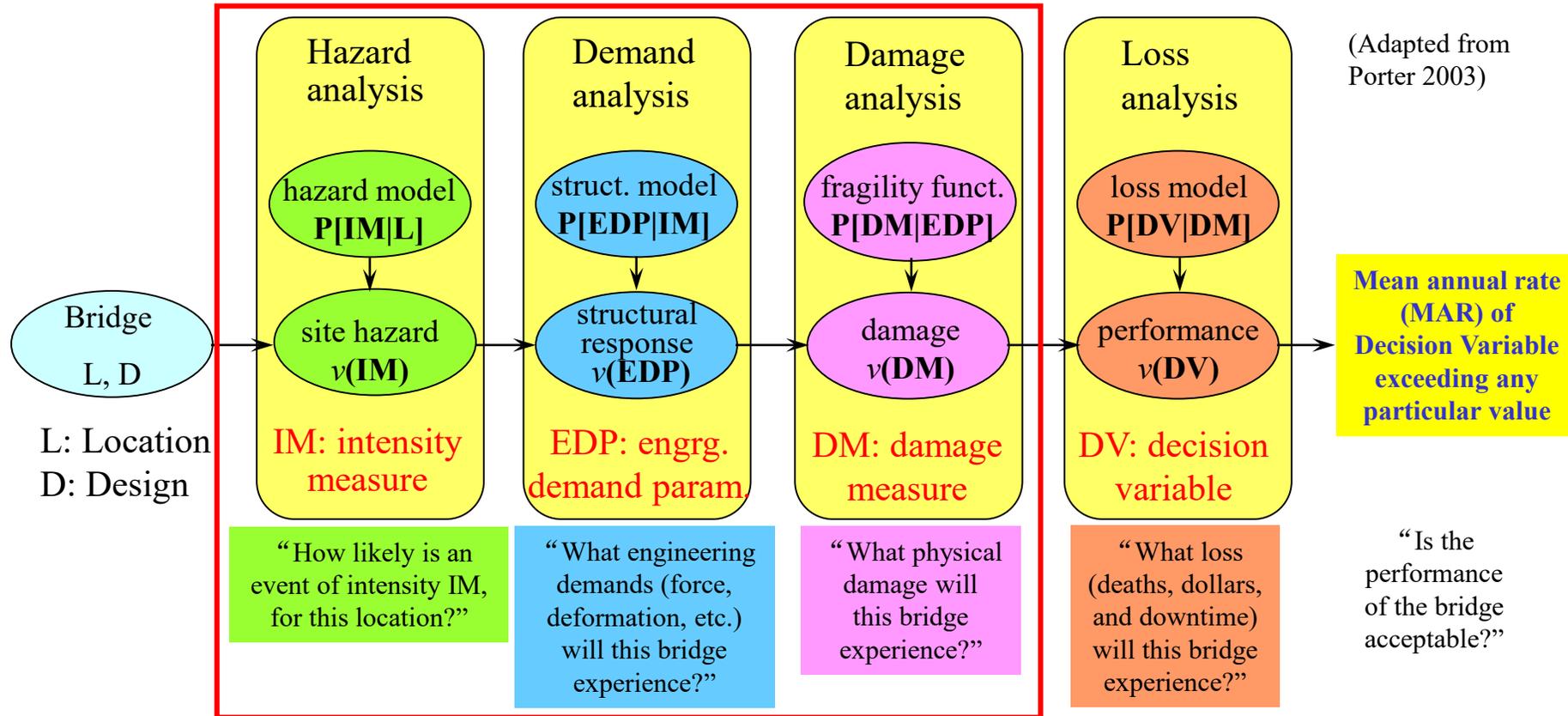


Computational Bridge Models

➤ Schematic Representation of FE Model of Bridge B in OpenSees:



PEER Performance-based Earthquake Engineering Assessment Methodology



$$\therefore v_{DV} = \int \int \int G_{DV|DM}(dv | DM = dm) \cdot \left| dG_{DM|EDP=edp}(dm | EDP = edp) \right| \cdot \left| dG_{EDP|IM=im}(edp | IM = im) \right| \cdot \left| dv_{IM}(im) \right|$$

$P(X | Y)$: Conditional PDF of X given Y

$v_X(x)$: Mean annual rate of X exceeding the threshold value x

$G(X | Y)$: Conditional complementary CDF of X given Y

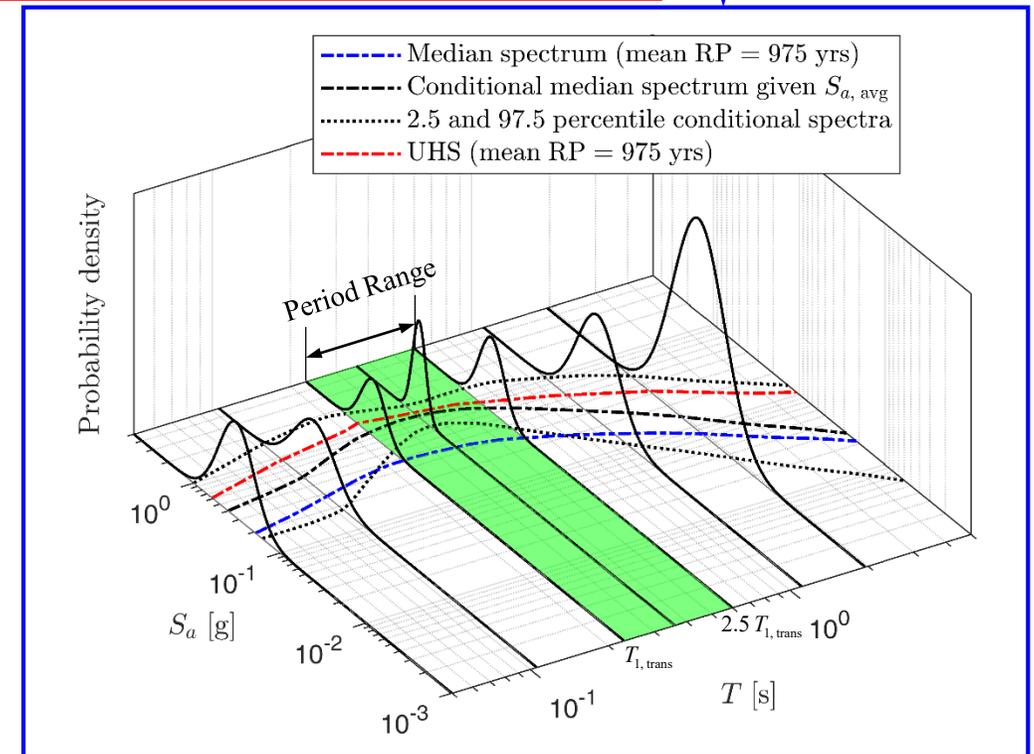
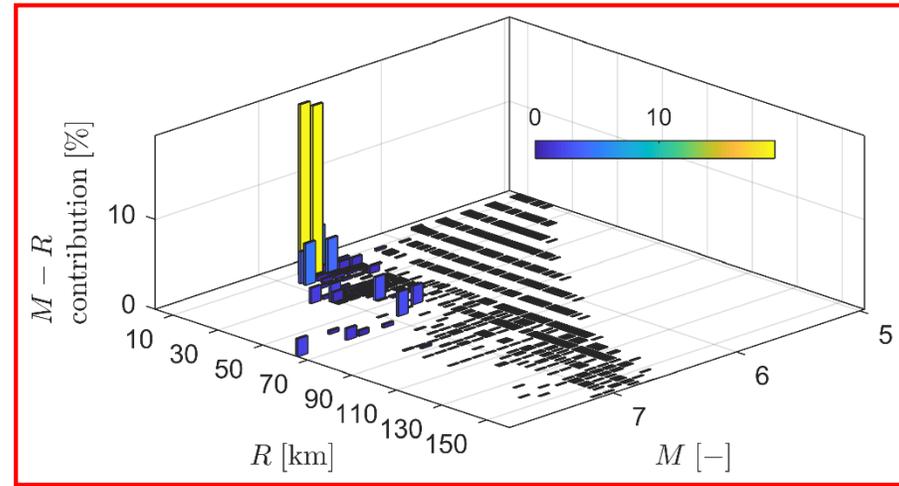
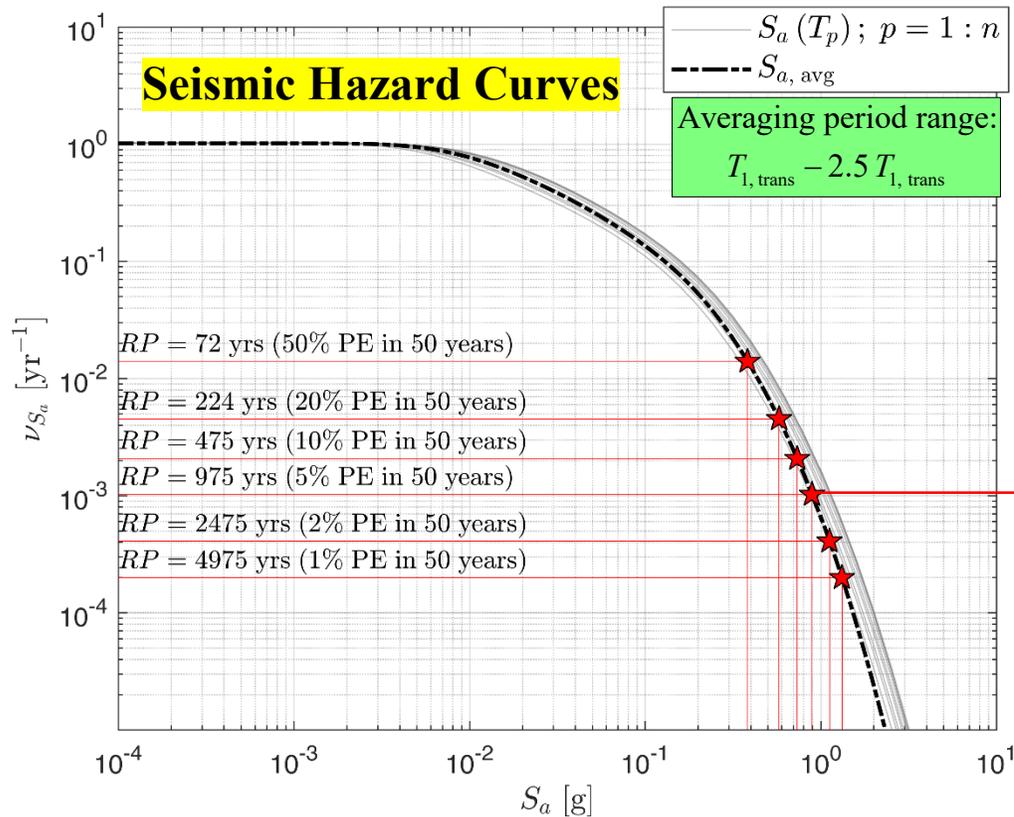
PSHA & Target Spectrum for Earthquake Ground Motion Selection

Baker and Cornell (2006)

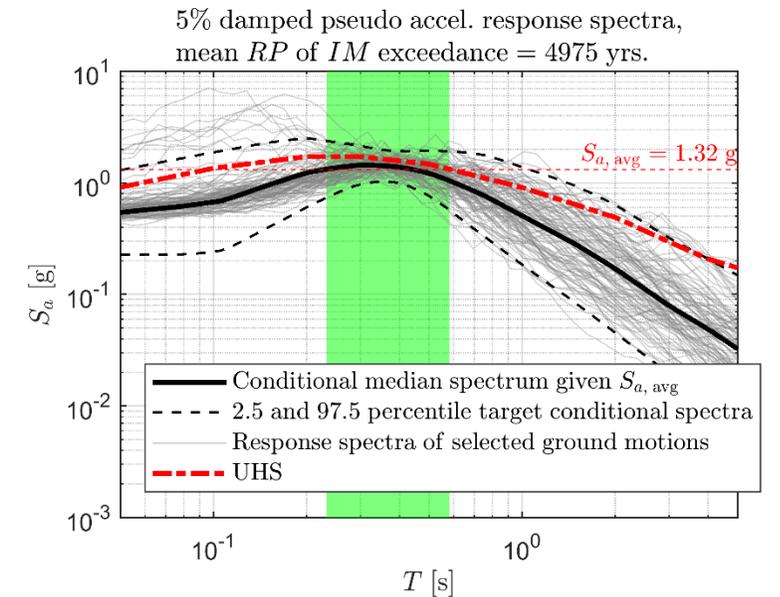
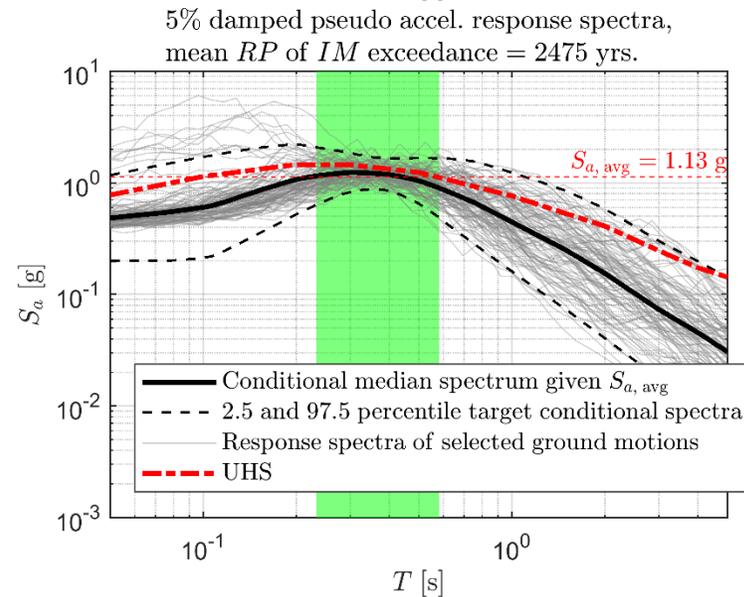
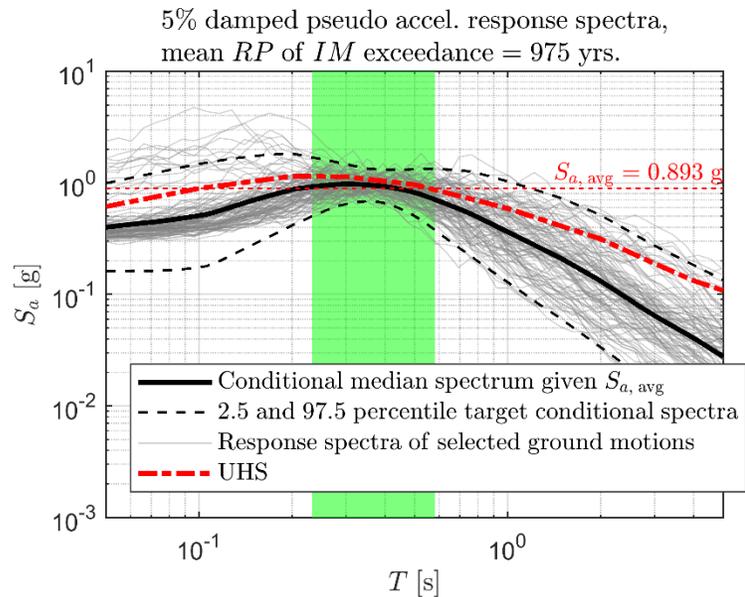
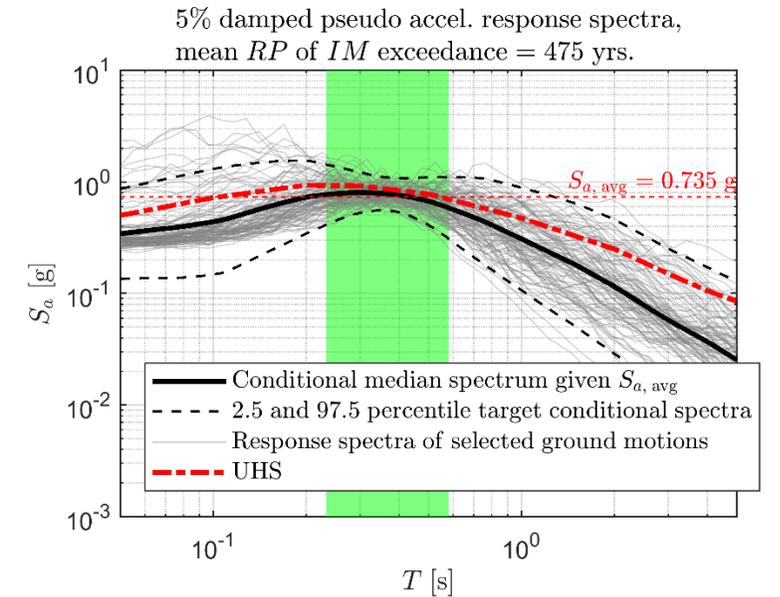
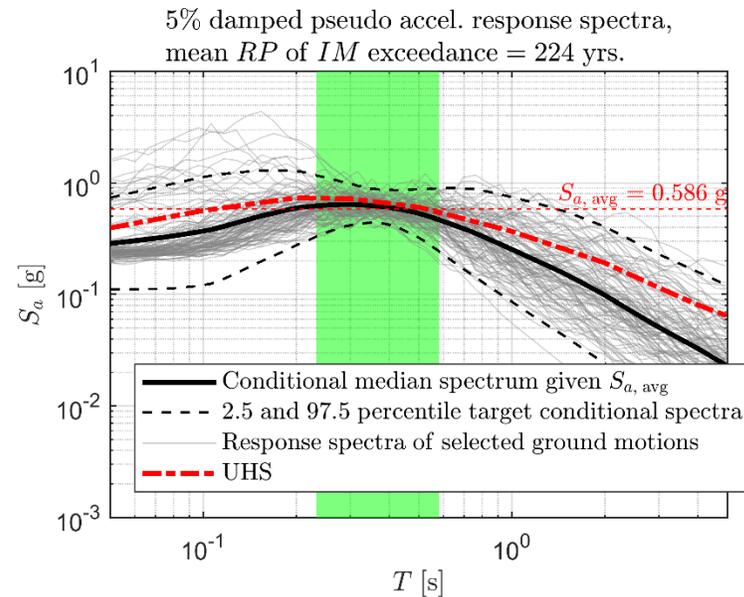
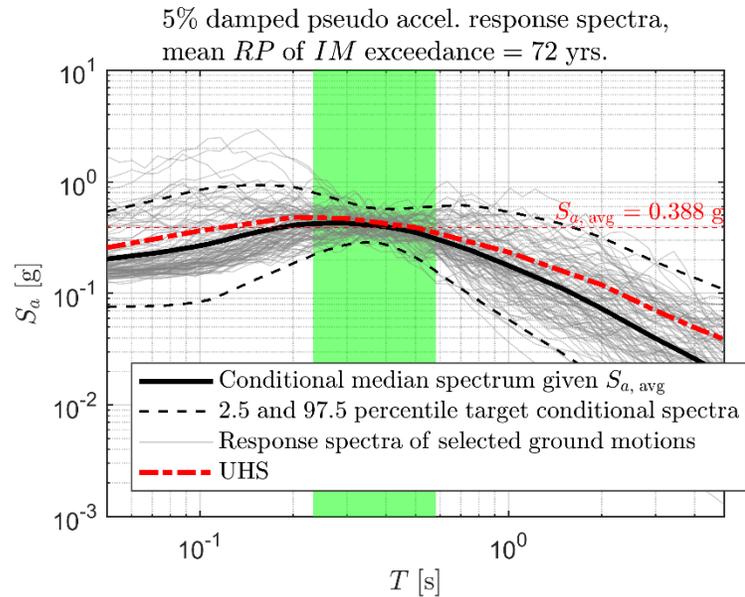
$$IM : S_{a, avg} (T_1, \dots, T_n) = \left[\prod_{k=1}^n S_a (T_k) \right]^{1/n}$$

Kohrangi, Bazzurro and Vamvatsikos (2016)

$$\nu_{S_{a, avg}} (x) = \sum_{s=1}^{N_s} \nu_{\text{scenario}_s} \cdot P \left[\underbrace{\prod_{p=1}^n S_a (T_p)}_{S_{a, avg}} > x \mid \underbrace{\text{scenario}_s}_{M-R \text{ bin}} \right]$$

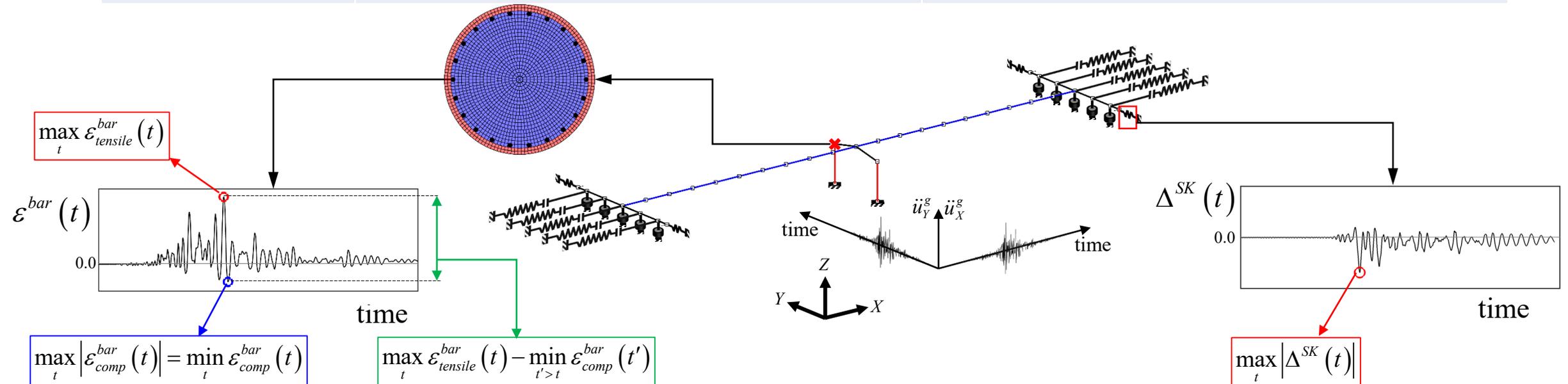


Selection of Ensembles of Site-specific Risk-consistent Ground Motion Records



Definition of Limit-States and Associated Engineering Demand Parameters

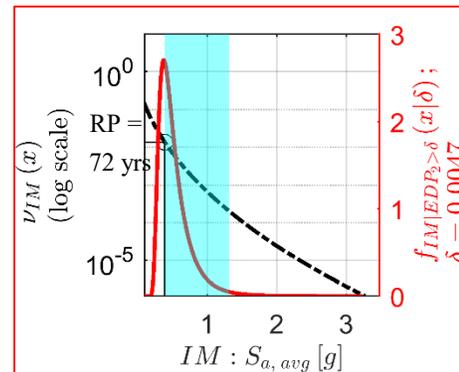
Limit-state (LS)	Associated Engineering Demand Parameter (EDP)	
Concrete cover crushing (LS ₁)	Maximum absolute compressive strain of any	$EDP_1 = \max \left(\max \left(\max \varepsilon^{bar} (t) \right) \right)$
Longitudinal buckling (LS ₂)	<p><i>“Structural displacements, which can be directly related to damage potential through material strains (structural damage)... , are [currently] checked through coarse and unreliable methods...”</i></p> <p><i>- Nigel Priestley, 2007</i></p>	
Longitudinal fracture (LS ₃)		
Shear key damage (LS ₄)	Maximum horizontal displacement of any shear key normalized by the displacement at peak strength.	$EDP_4 = \max_{SK} \left(\max_t \Delta^{SK} (t) \right)$



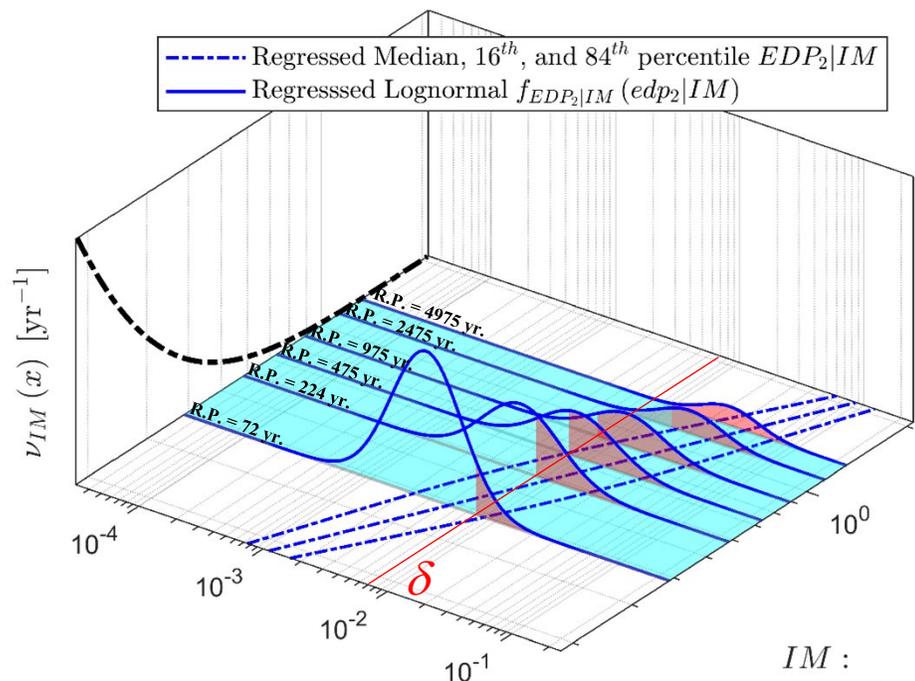
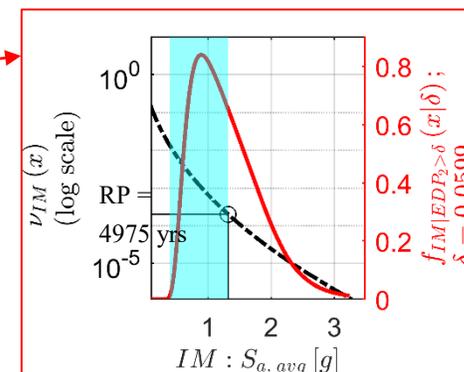
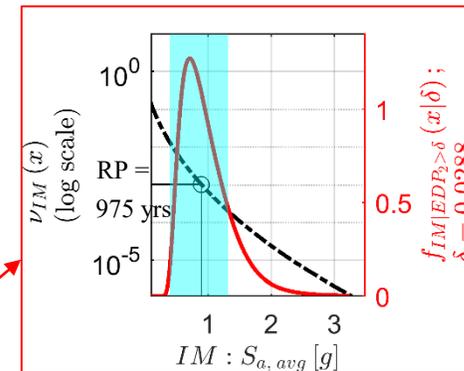
Probabilistic Seismic Demand Hazard Analysis

$$v_{EDP_k}(\delta) = \int_{IM} P[EDP_k > \delta | IM = x] \cdot \underbrace{dv_{IM}(x)}_{|v_{IM}(x+dx) - v_{IM}(x)|}$$

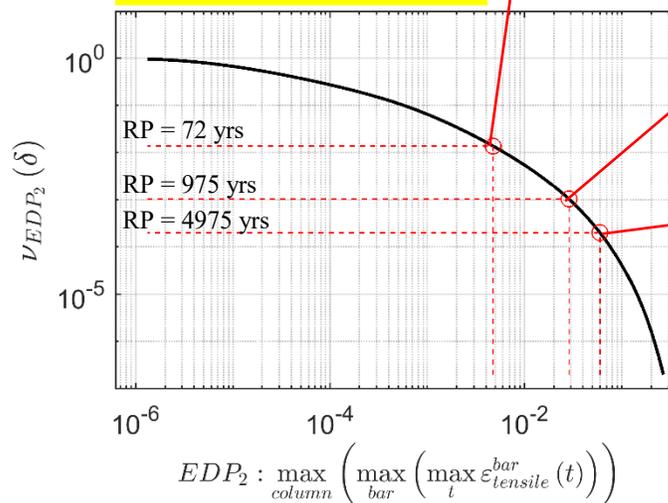
$$|v_{IM}(x+dx) - v_{IM}(x)|$$



IM Deaggregation of Demand Hazard



Demand Hazard Curve



$$EDP_2 : \max_{column} \left(\max_{bar} \left(\max_t \left(\epsilon_{tensile}^{bar}(t) \right) \right) \right)$$

$$IM : S_{a, avg} [g]$$

Probabilistic Seismic Demand and Capacity

Probability density function of EDP_k :

$$f_{EDP_k}(\delta) = \frac{d}{d\delta} \left(1 - \underbrace{\frac{v_{EDP_k}(\delta)}{v_{IM}(x=0)}}_{F_{EDP_k}(\delta)} \right)$$

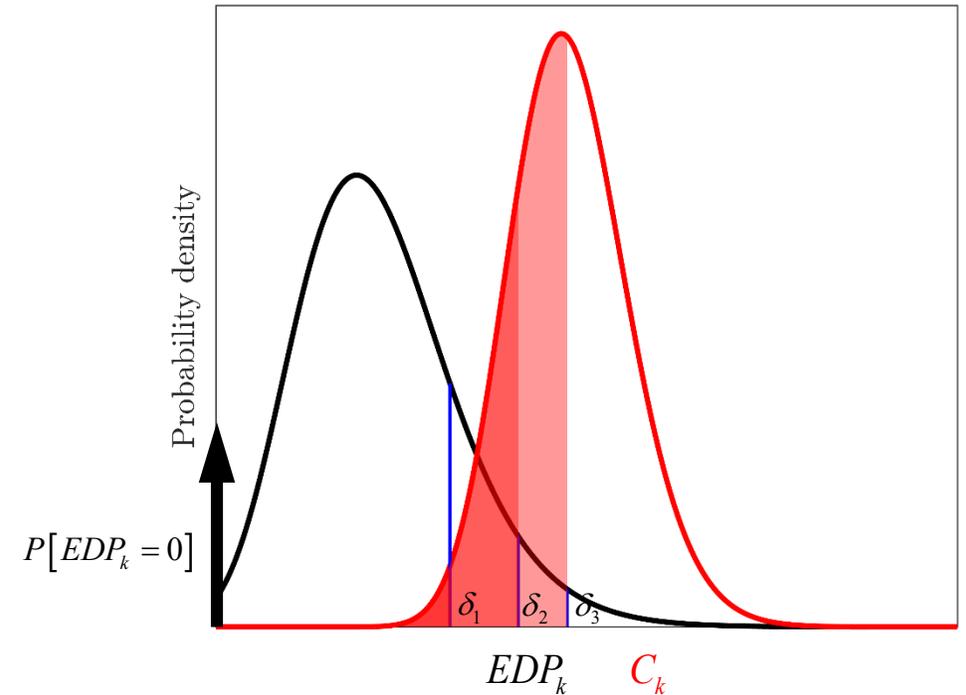
Probability of LS exceedance :

For k^{th} limit-state,

$$P[LS \text{ exceedance}] = P[C_k < EDP_k]$$

$$= \int_{\delta} \underbrace{P[C_k < EDP_k | EDP_k = \delta]}_{\text{Fragility Function}} \cdot f_{EDP_k}(\delta) \cdot d\delta$$

Fragility Function



Experimental/Numerical Data Sources for Construction of Fragility Functions

Sources	Specimen scale	Specimens	Limit-state
Schoettler, Restrepo, Guerrini and Duck (2015)	full scale	1 single column bridge bent (dynamic test)	2
Barbosa, Link, and Trejo (2014)	half scale	6 column specimens with Grade 60 and Grade 80 steel	1
Goodnight, Kowalsky and Nau (2015)	half scale	23 column specimens of varying dimensions and reinforcement	1, 2
Murcia-Delso, Shing, Stavridis, and Liu (2013)	full scale	4 column specimens embedded in enlarged shafts	1, 2
Duck, Carreño, and Restrepo (2018)	FE model	36 numerical models of column reinforcement cages with varying parameters	3
Megally, Silva, and Seible (2002)	2/5 th scale	4 non-isolated exterior shear key specimens	4
Bozorgzadeh, Megally, Ashford, and Restrepo (2007)	2/5 th scale	1 isolated exterior shear key specimen	4

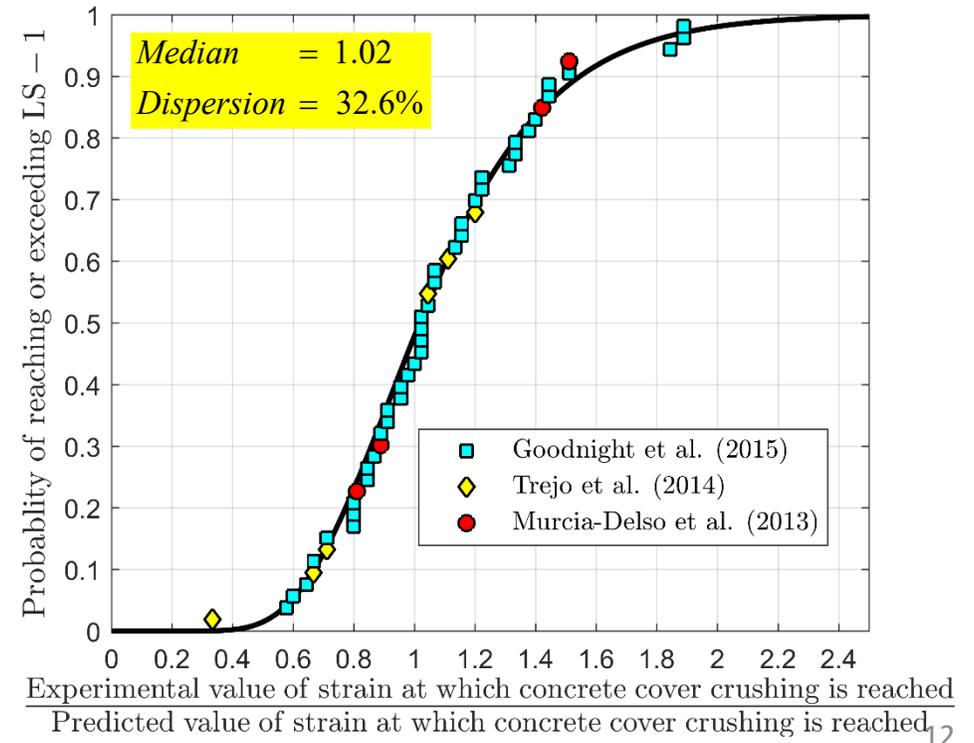
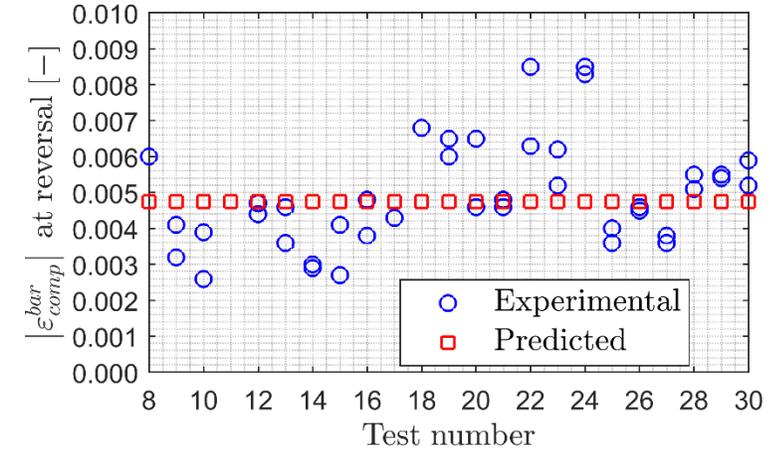
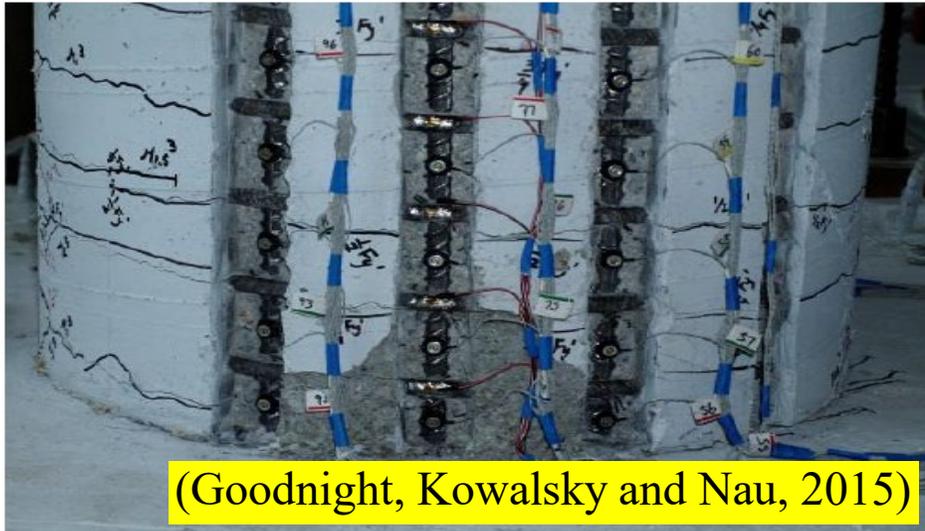
Limit-States: Limit State – 1 (Strain-based)

➤ Concrete cover crushing:

Predictive Capacity Model:

$$EDP_{C_1}^{\text{PRED}} = \varepsilon_{comp}^{bar} = 0.00475$$

(Goodnight, Kowalsky and Nau, 2015)



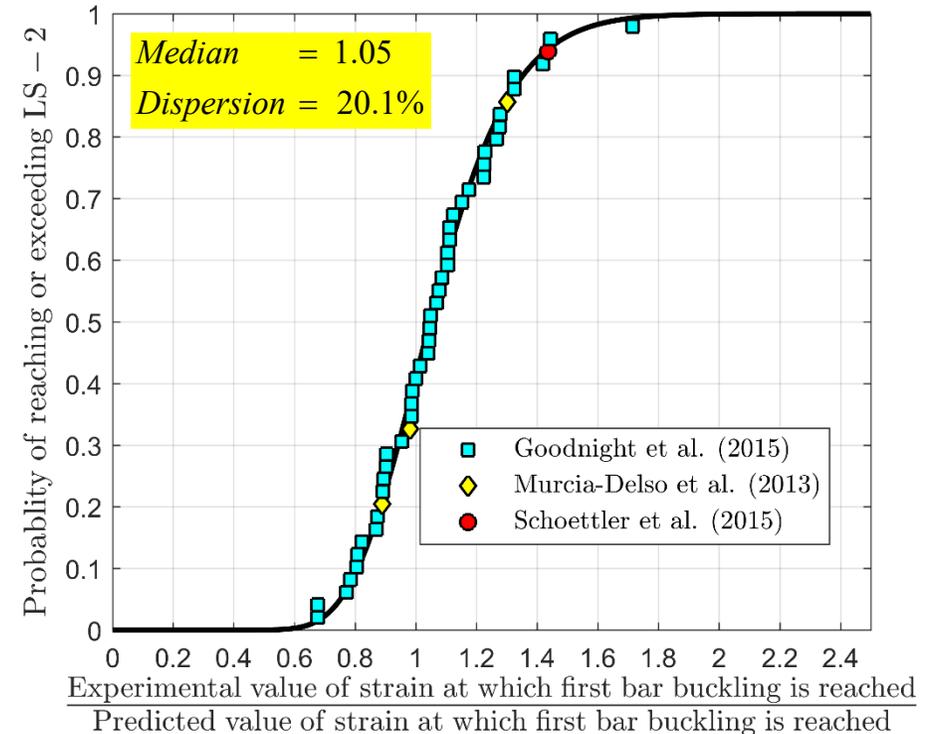
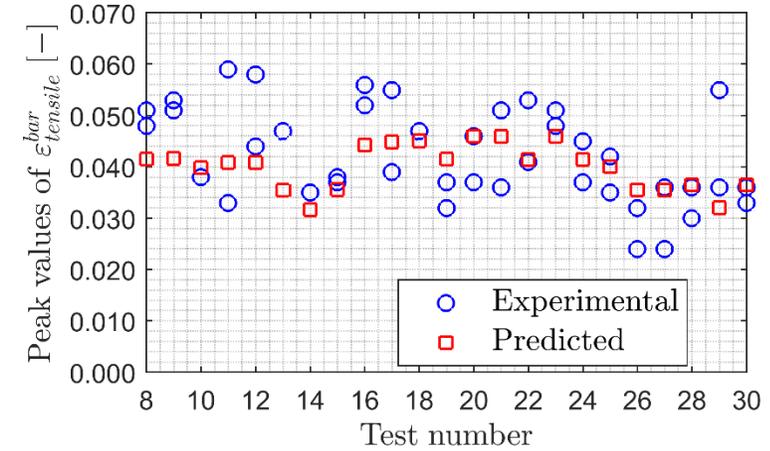
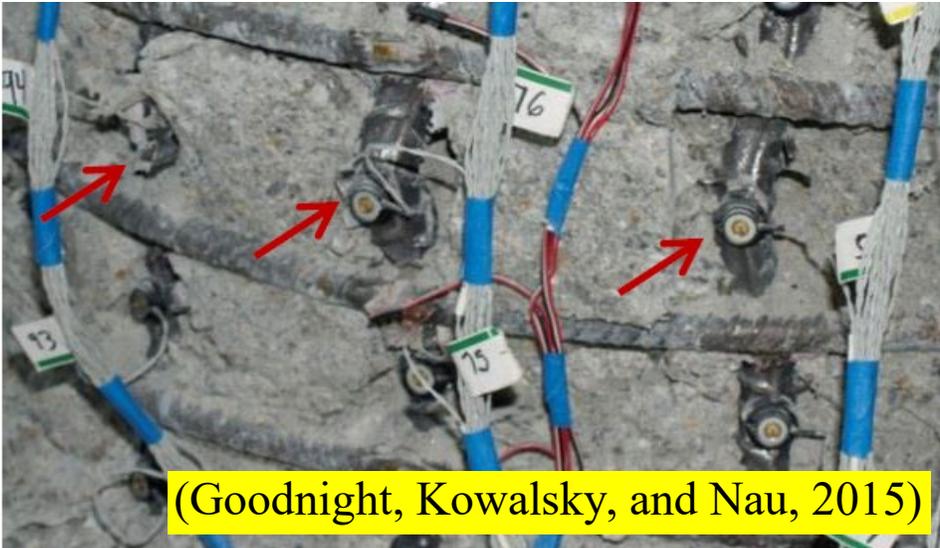
Limit-States: Limit State – 2 (Strain-based)

➤ Longitudinal rebar buckling (a precursor):

Predictive Capacity Model:

$$EDP_{C_2}^{\text{PRED}} = \varepsilon_{tensile}^{bar} = 0.03 + 700 \rho_s \frac{f_{yhe}}{E_s} - 0.1 \frac{P}{f'_{ce} A_g}$$

(Goodnight, Kowalsky and Nau, 2015)



Limit-States: Limit State – 3 (Strain-based)

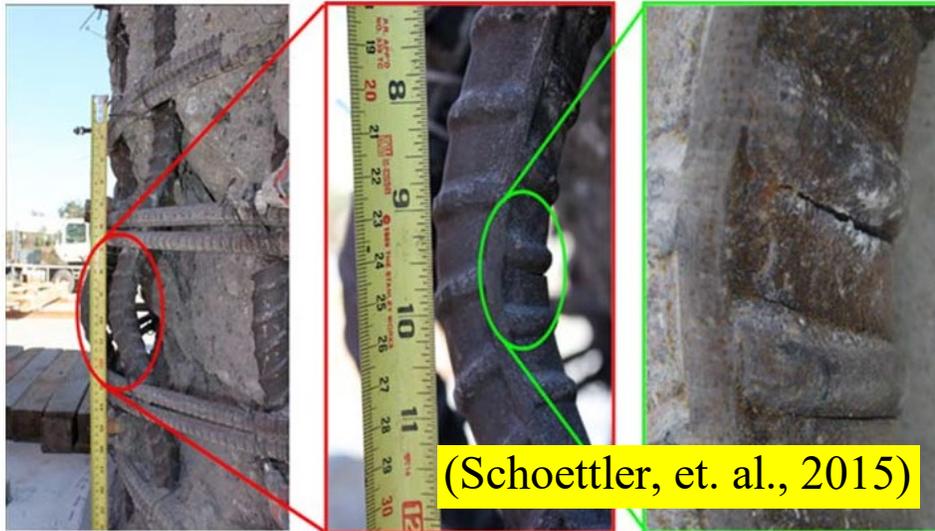
➤ Longitudinal rebar fracture (a precursor):

Predictive Capacity Model (mechanics-based):

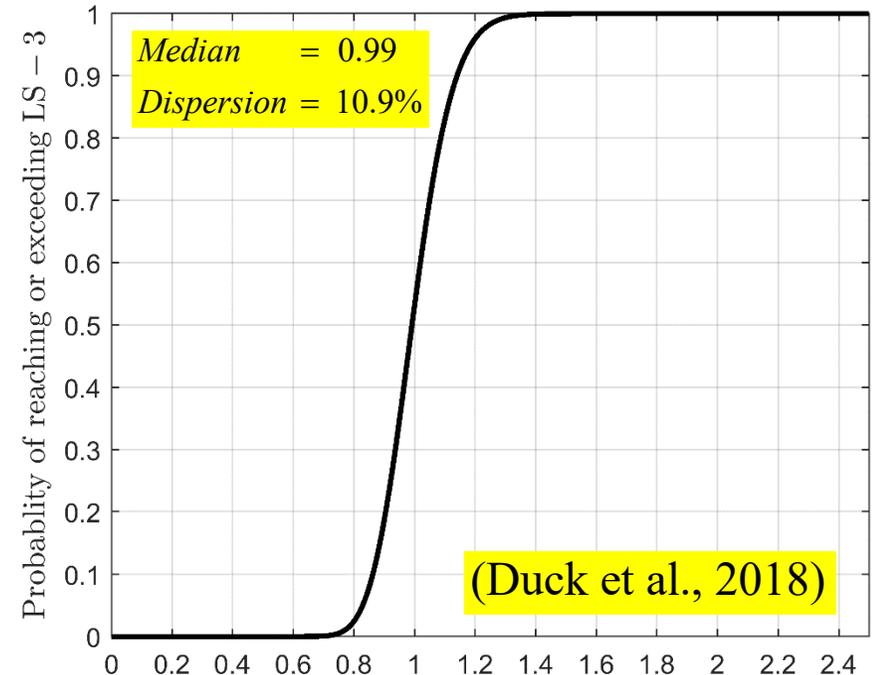
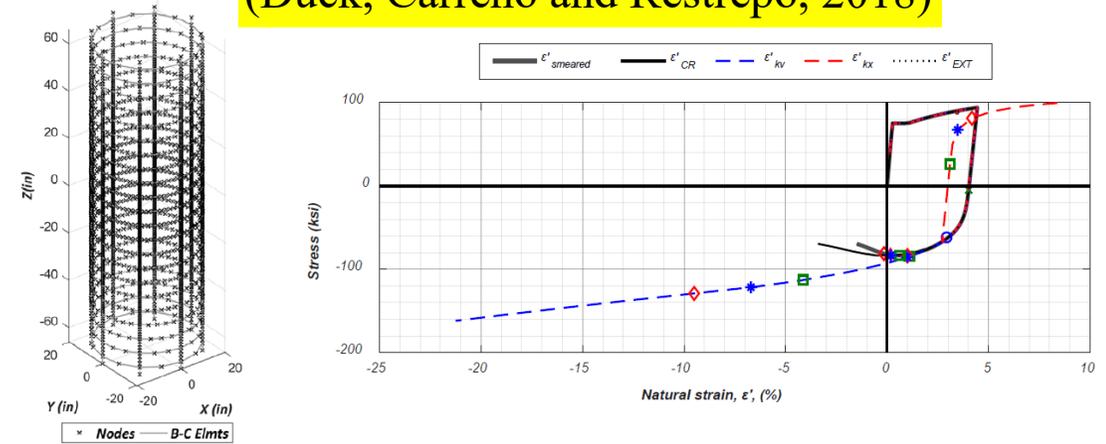
$$EDP_{C_2}^{PRED} = \max_t \varepsilon_{tensile}^{bar}(t) - \min_{t' > t} \varepsilon_{comp}^{bar}(t') =$$

$$= 0.11 + \underbrace{\min(0.054, 0.032 \rho_s (\%)) - 0.0175 \left| \sqrt[3]{n_{bar}} - 2.93 \right| - 0.054 \frac{T}{Y}}_{\Delta \varepsilon_{VK}}$$

(Duck, Carreño, and Restrepo, 2018)



(Duck, Carreño and Restrepo, 2018)



Numerical value of strain excursion at which bar fracture is reached
Predicted value of strain excursion at which bar fracture is reached

Parametric Probabilistic Seismic Performance Assessment

- Design variables & primary design parameter space
- Full-blown parametric risk-targeted seismic performance assessment and results
- Feasible design domains

Design Variables, Constraints and Primary Design Parameter Space

Primary design variables:

1. Column diameter (D_{col})
2. Column longitudinal reinforcement ratio ($\rho_{long.}$)

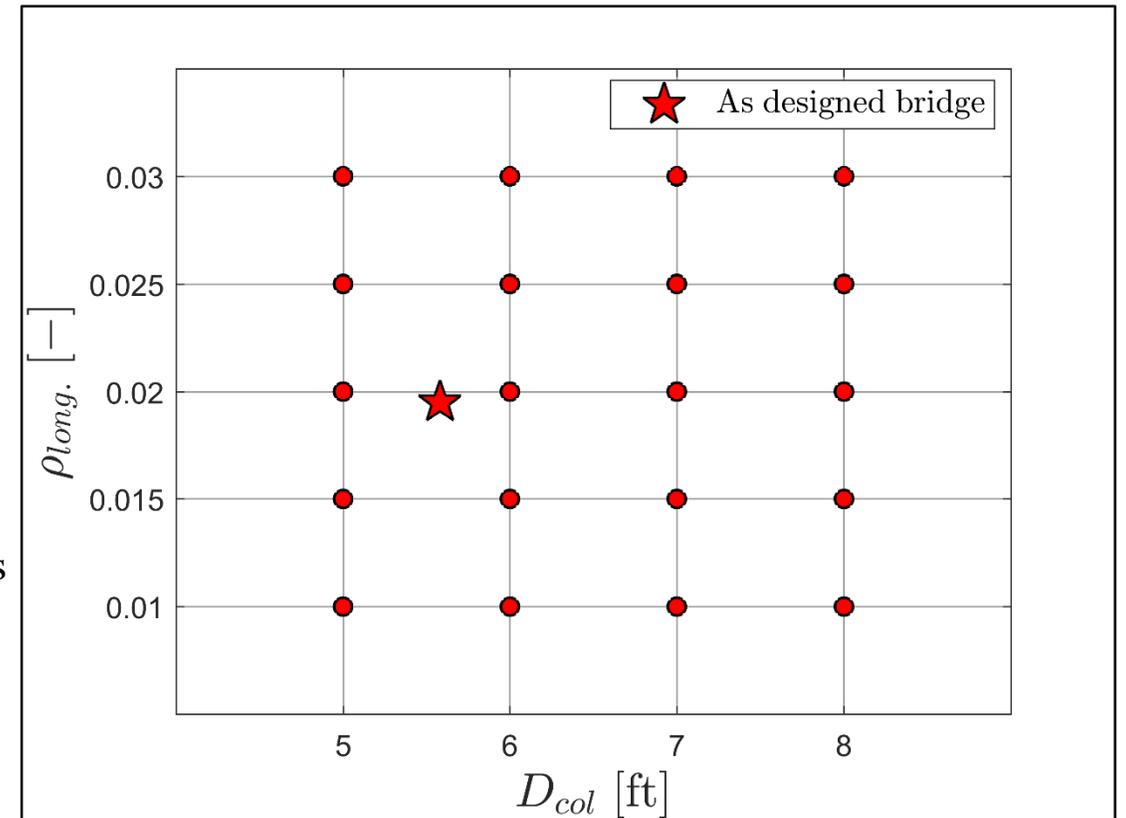
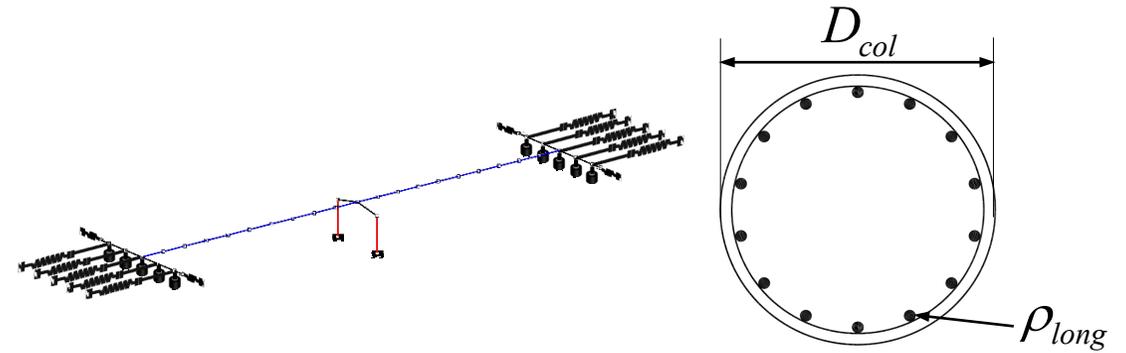
subject to: $1\% \leq \rho_{long.} \leq 3\%$

and

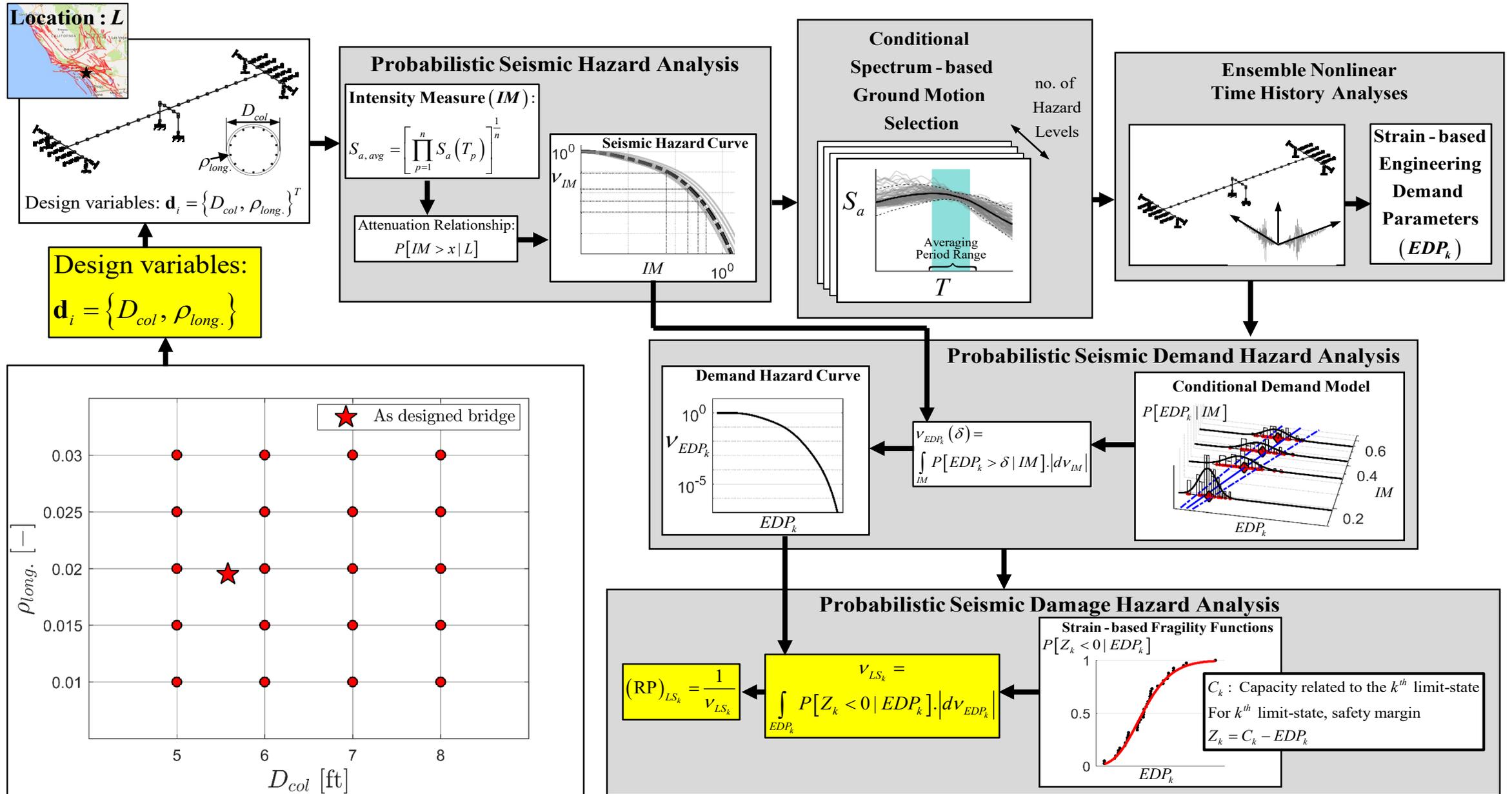
$D_{col} = 4 - 6$ ft	for 4 column bents
$D_{col} = 5 - 8$ ft	for 3 column bents
$D_{col} = 5 - 8$ ft	for 2 column bents
$D_{col} = 5 - 8$ ft	for 1 column bent

Secondary design variables / components:

1. Column transverse reinforcement ratio ($\rho_{trans.}$)
 2. Bridge deck
 3. Bridge abutments
 4. Foundations (piles and pile caps)
- } to be capacity protected against other (undesirable) failure modes

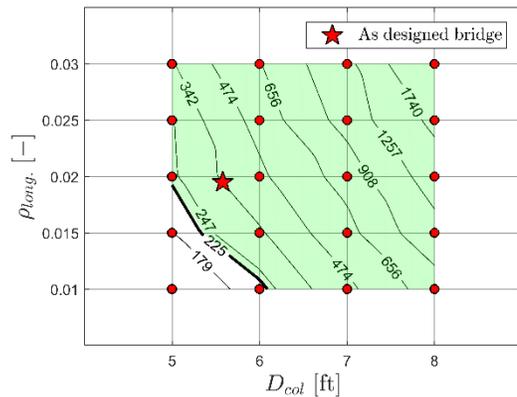
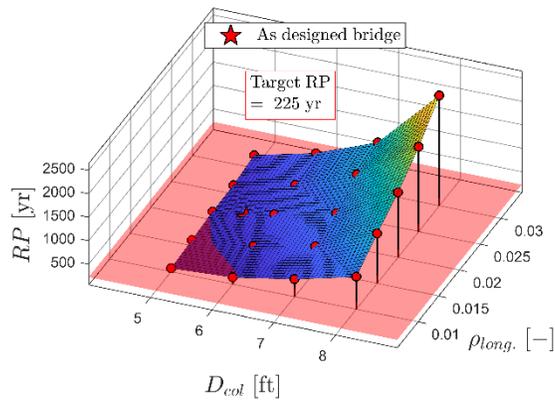
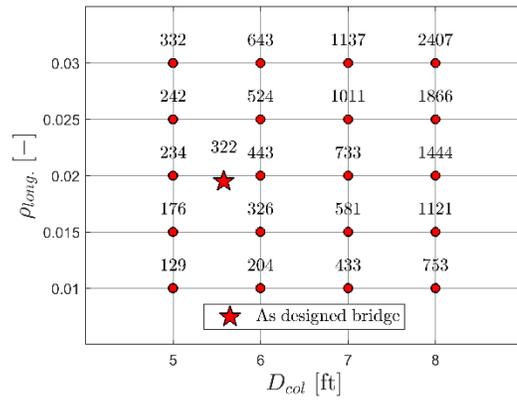


Overall Workflow for Full-blown Parametric Risk-Targeted Seismic Performance Assessment

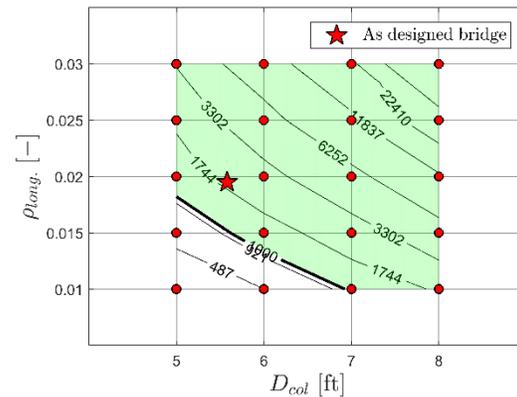
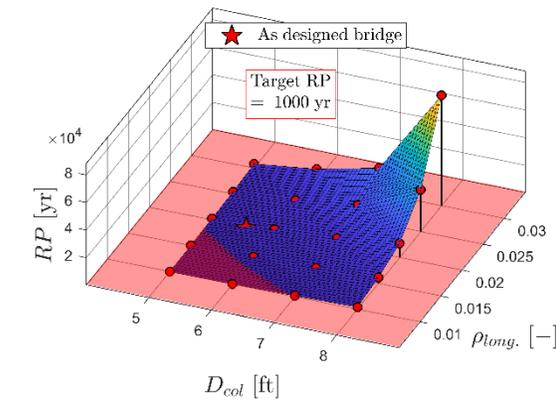
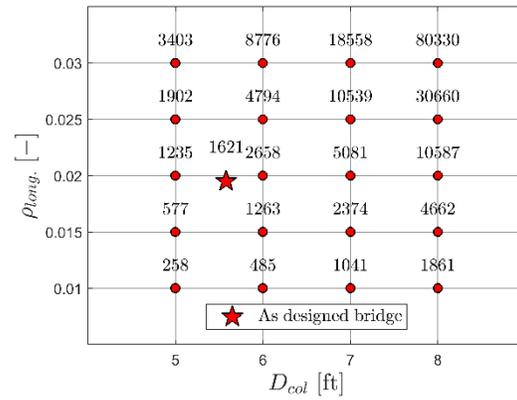


Results of Full-blown Parametric Risk-Targeted Seismic Performance Assessment

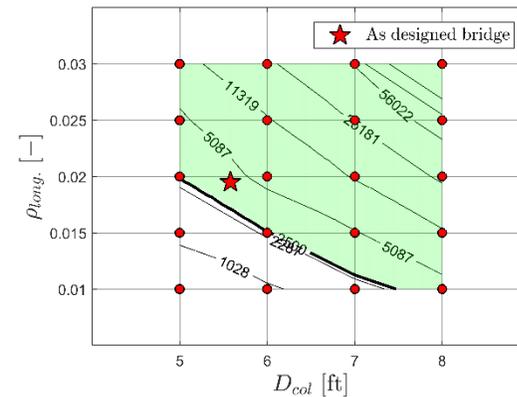
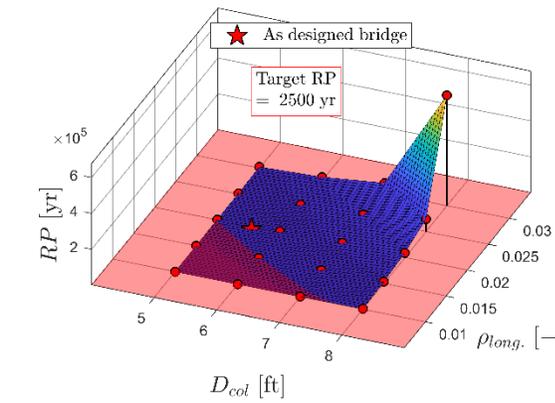
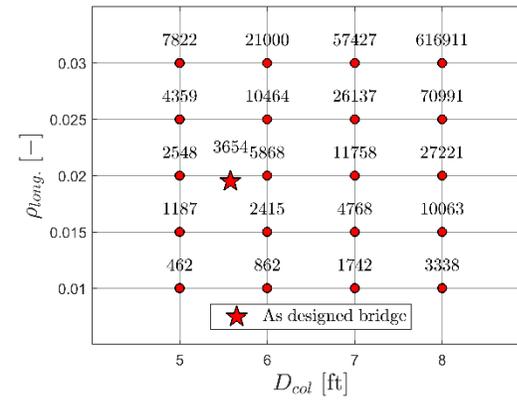
LS₁ : Concrete cover crushing



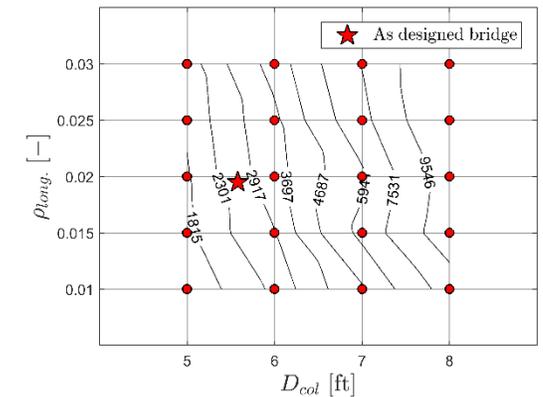
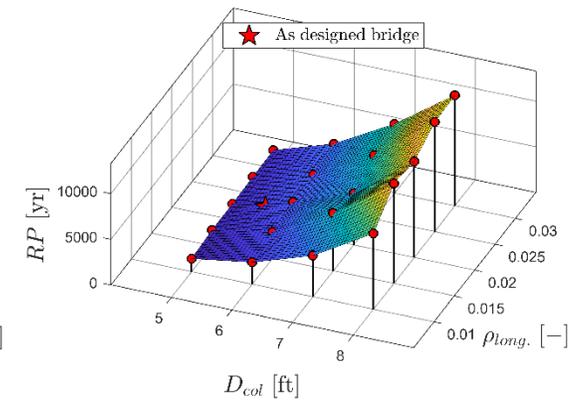
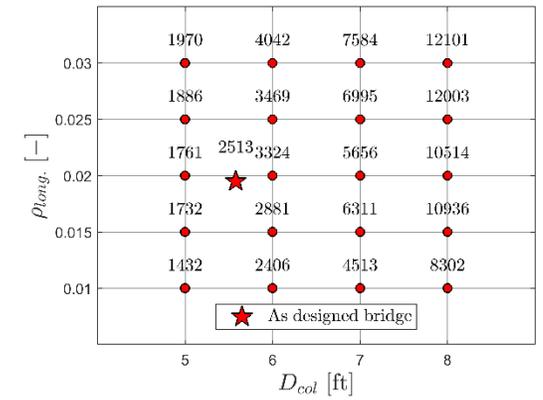
LS₂ : Longitudinal rebar buckling



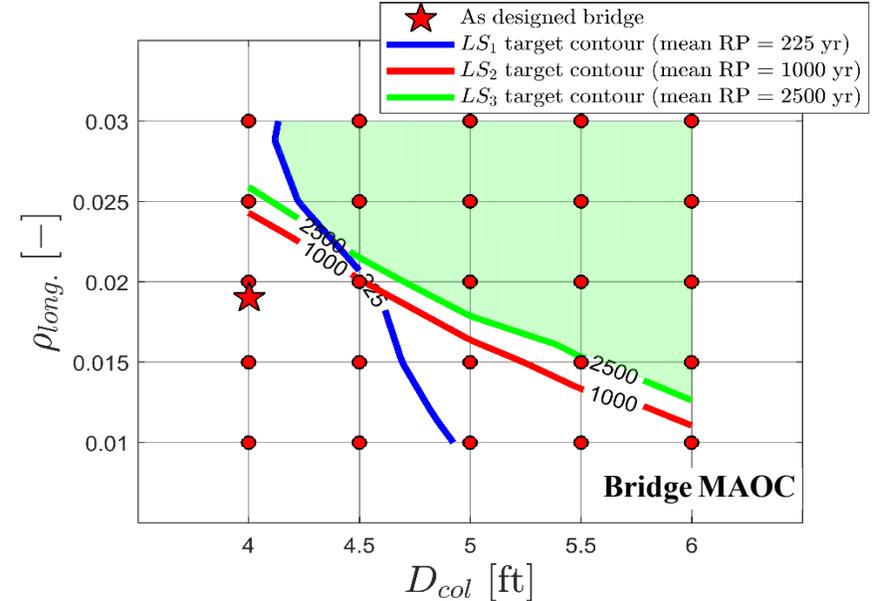
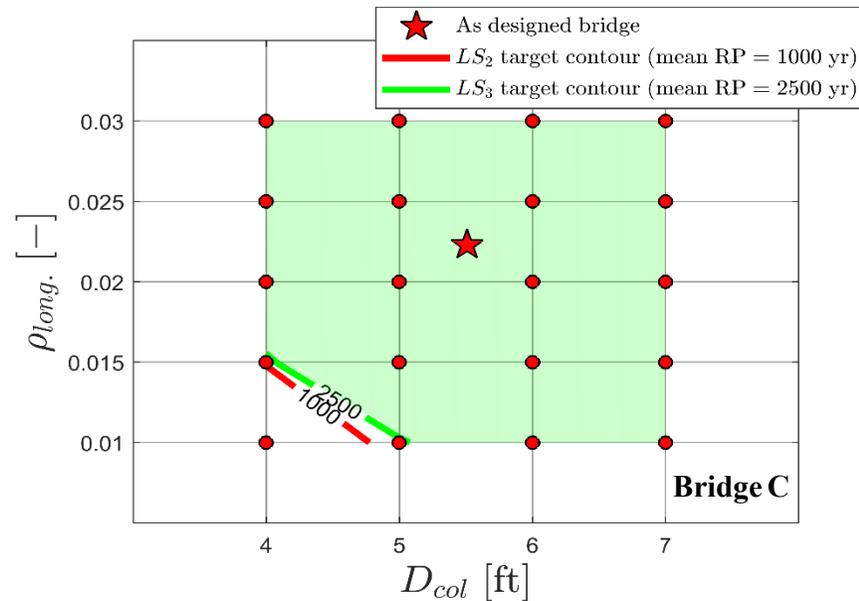
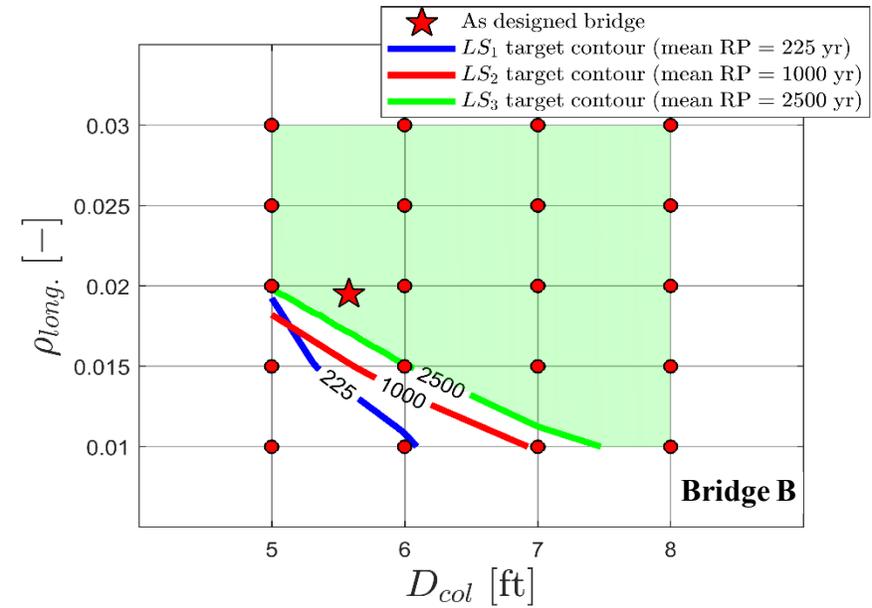
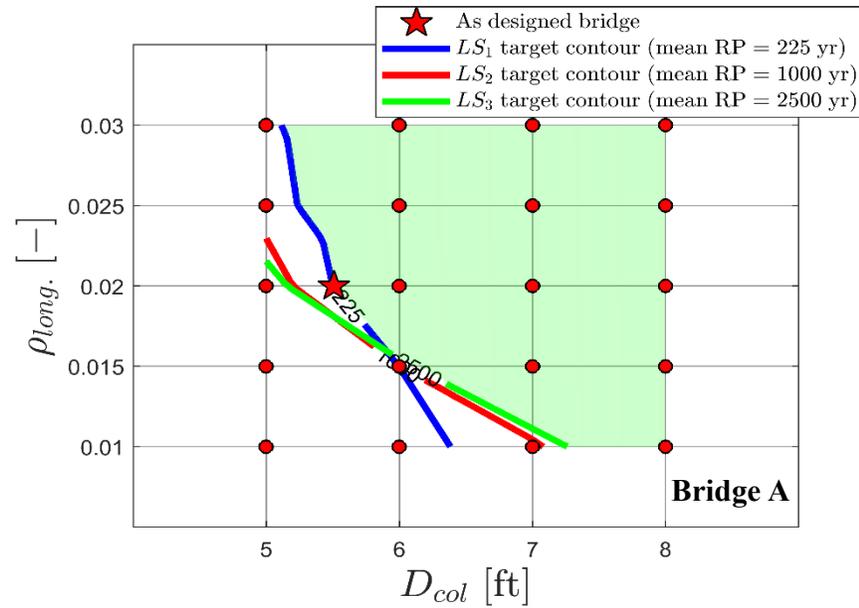
LS₃ : Longitudinal rebar fracture



LS₄ : Shear key damage



Results of Full-blown Parametric Risk-Targeted Seismic Performance Assessment: Feasible Design Domains



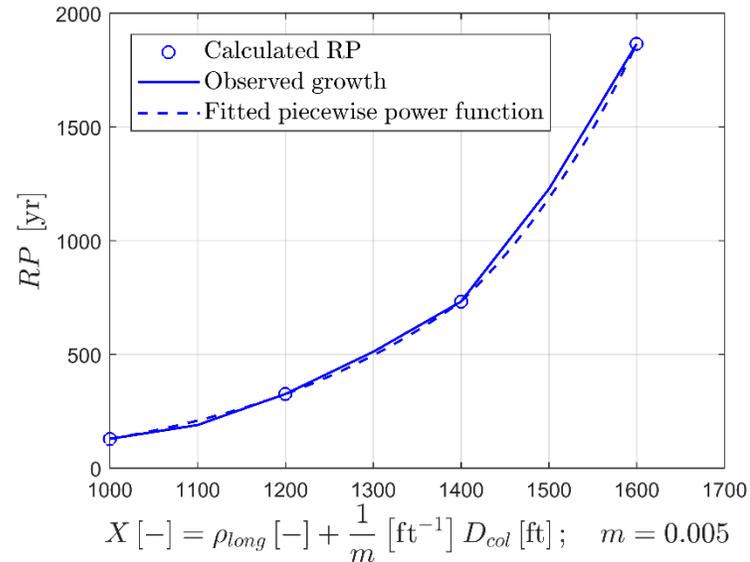
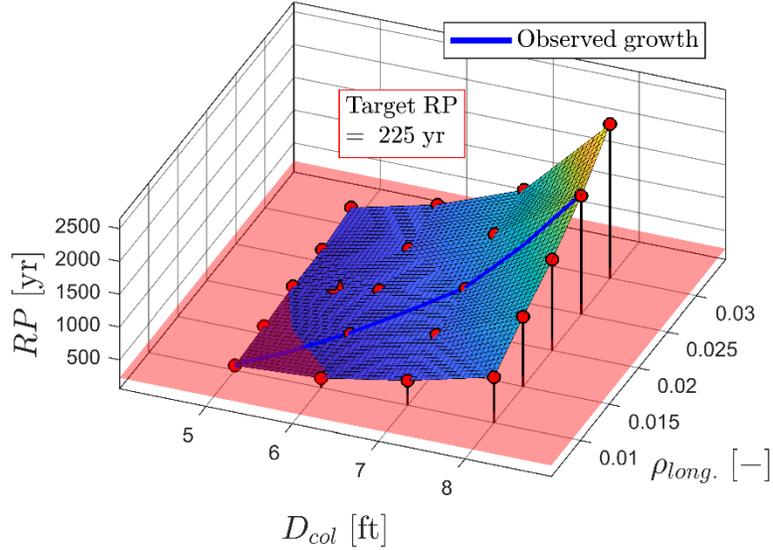
Development of Simplified Risk-targeted PBSD Method

- Obtaining a design point satisfying multiple risk-based objectives
- Approximation of feasible design domain
- Reduction in computational workload

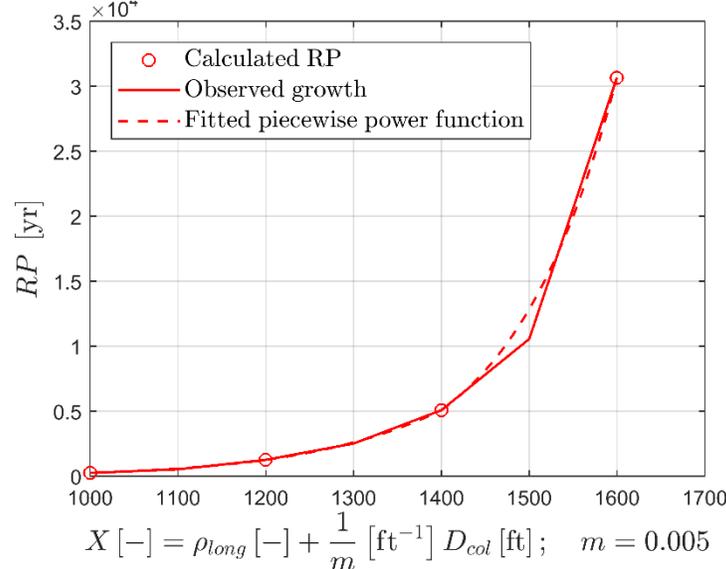
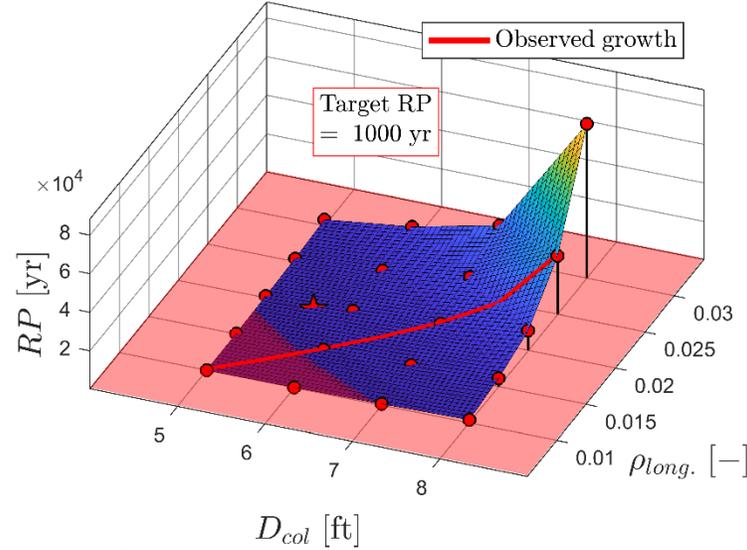
Development of Simplified Risk-Targeted PBSD Procedure: Topology of Mean RP Surfaces



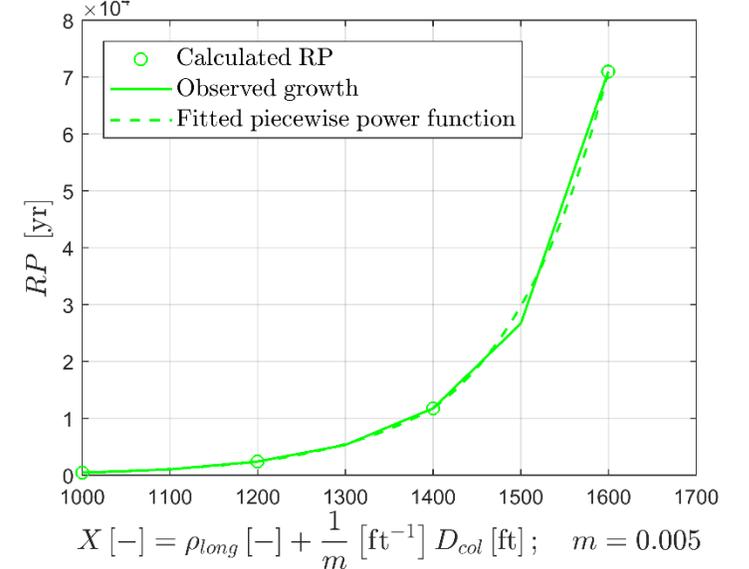
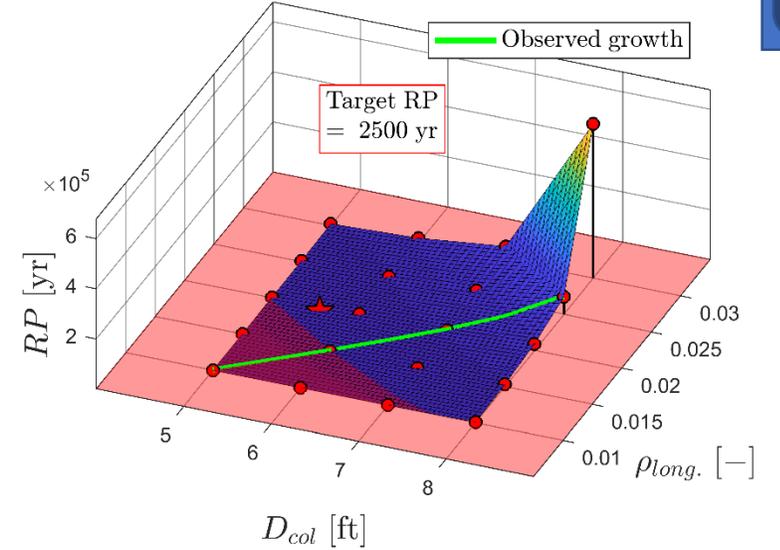
LS₁ : Concrete cover crushing



LS₂ : Longitudinal rebar buckling



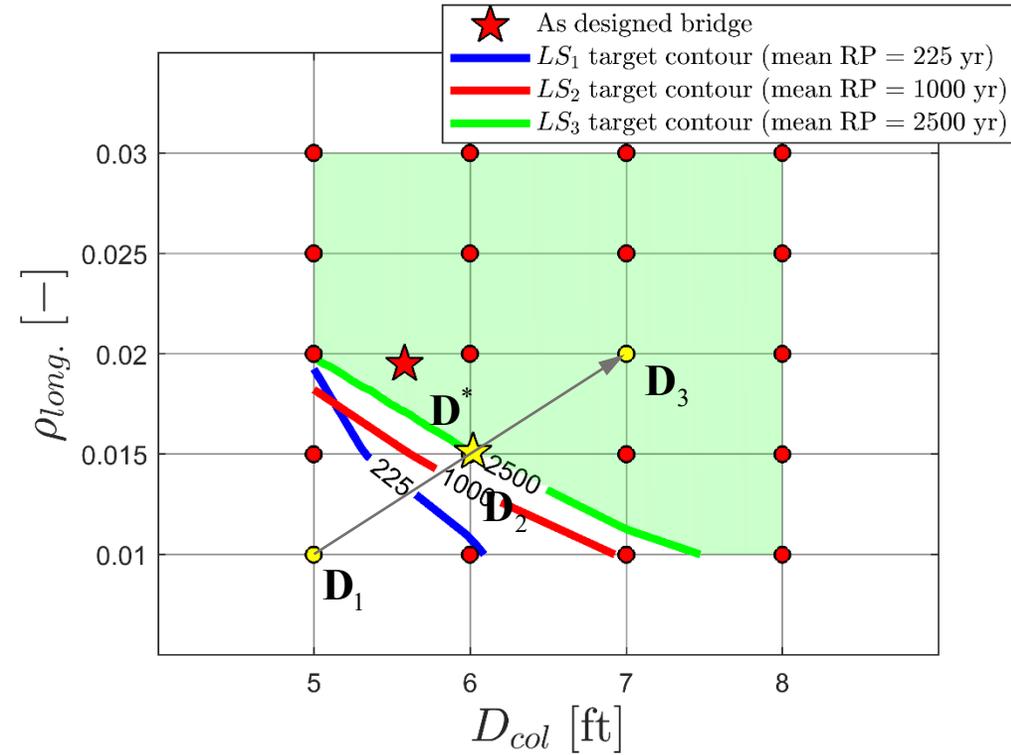
LS₃ : Longitudinal rebar fracture



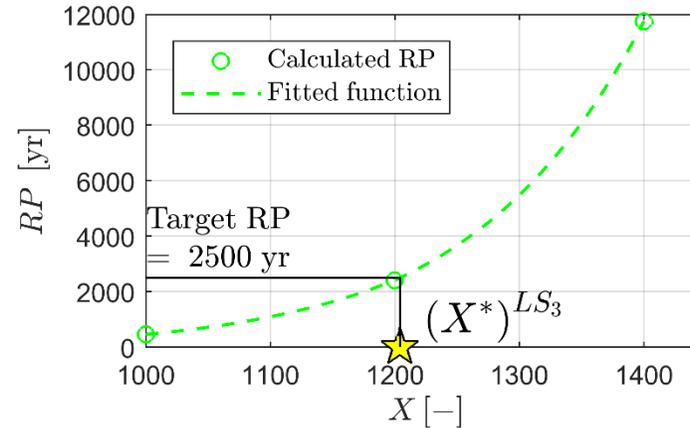
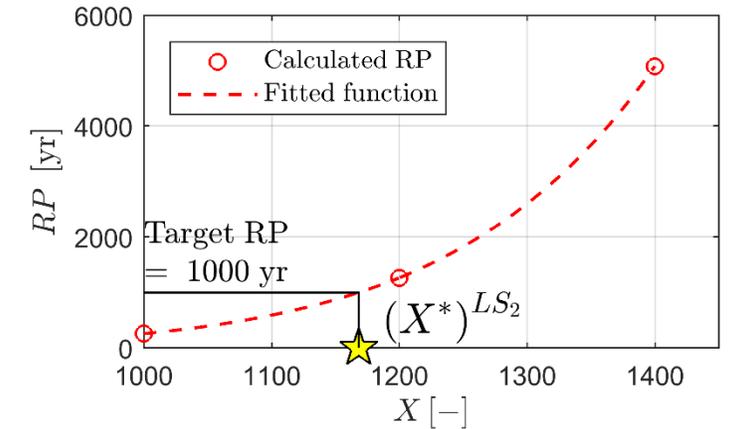
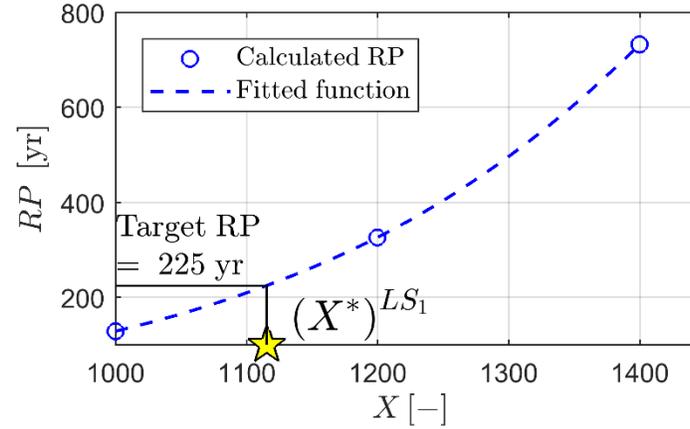
Development of Simplified Risk-Targeted PBSD Procedure: Finding a Design Point along a Positive Gradient Line

Equation of positive gradient line:

$$\rho_{long} [-] = m [\text{ft}^{-1}] \cdot D_{col} [\text{ft}] + \alpha [-]$$



$$\mathbf{D}^* = \begin{bmatrix} D_{col}^* [\text{ft}] \\ \rho_{long}^* [-] \end{bmatrix} = \begin{bmatrix} \frac{1}{m} [\text{ft}^{-1}] & 1 [-] \\ -m [\text{ft}^{-1}] & 1 [-] \end{bmatrix}^{-1} \begin{bmatrix} X^* [-] \\ \alpha [-] \end{bmatrix}$$

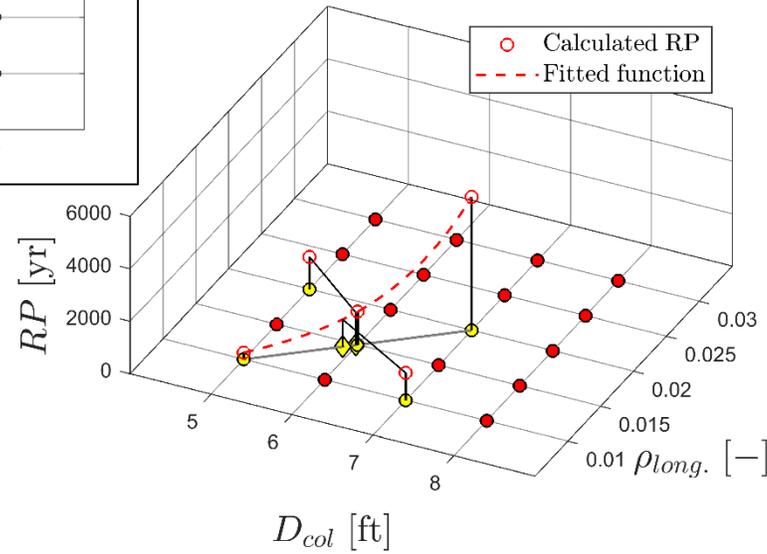
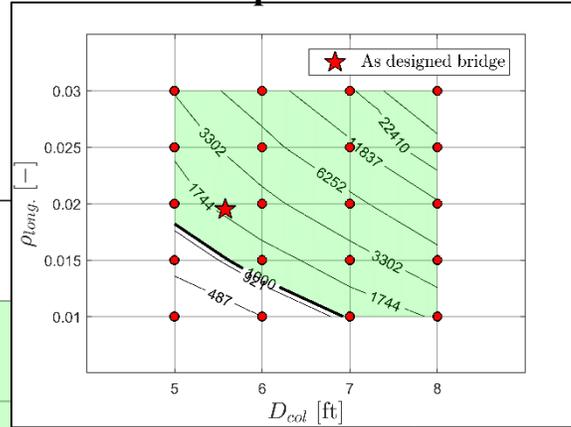
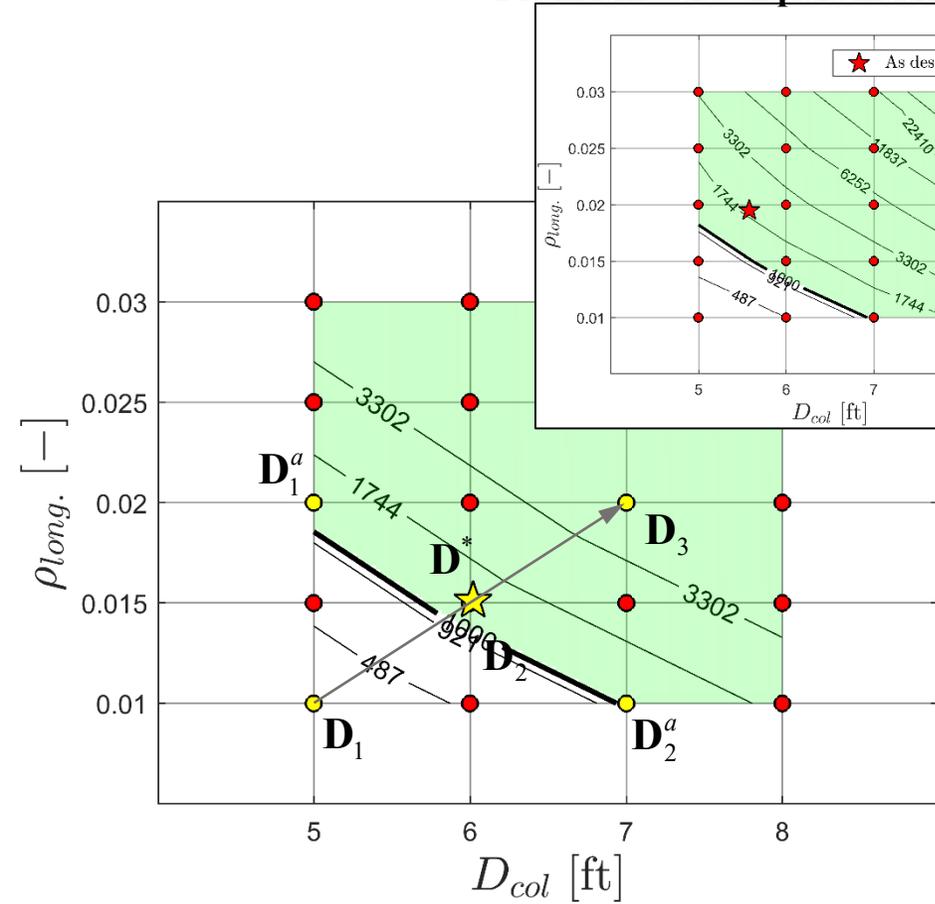


$$X = \rho_{long} [-] + \frac{1}{m} [\text{ft}^{-1}] D_{col} [\text{ft}]$$

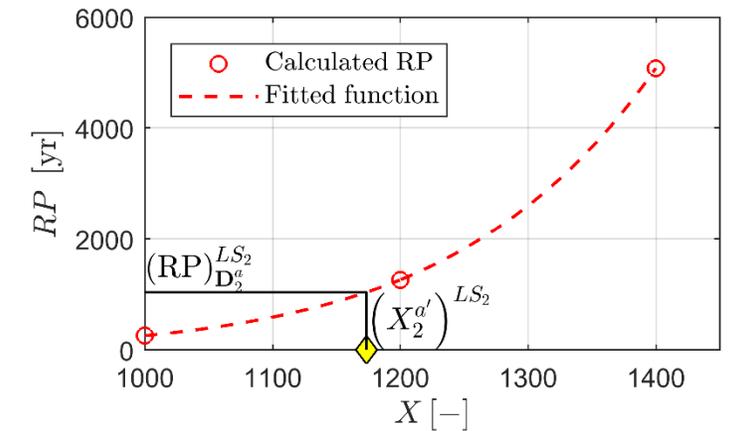
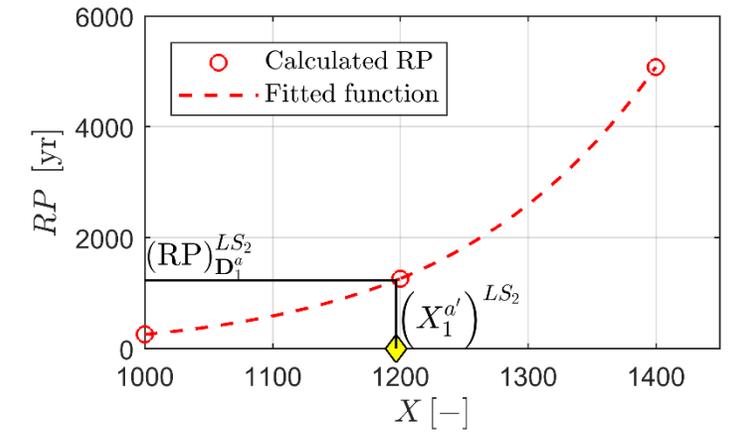
$$X^* = \max((X^*)^{LS_1}, \dots, (X^*)^{LS_n})$$

Development of Simplified Risk-Targeted PBSD Procedure: (Bi)Linear Approximation of Contour Lines

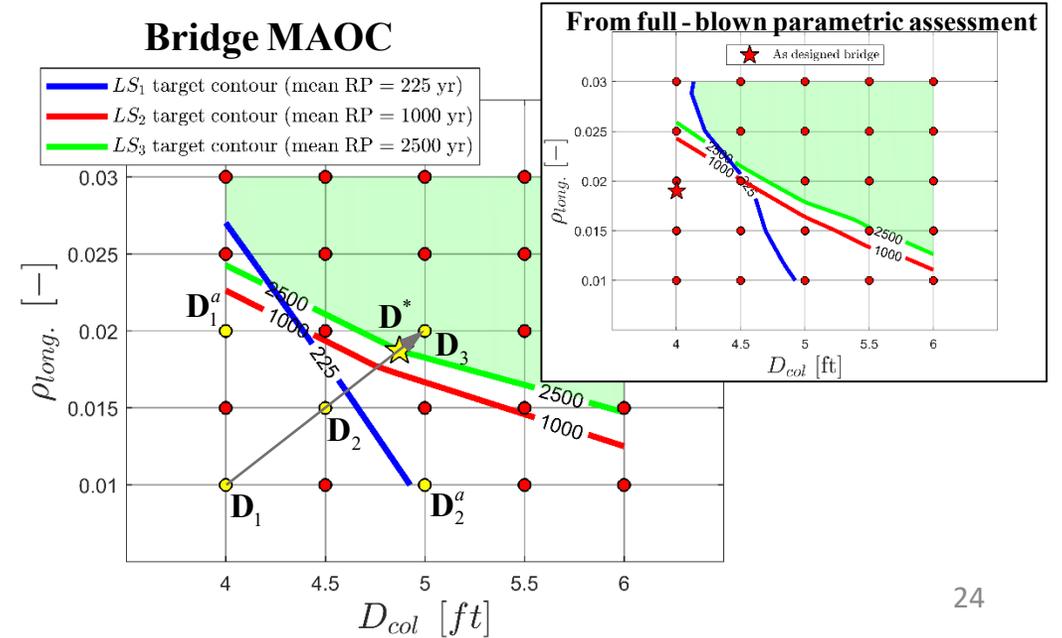
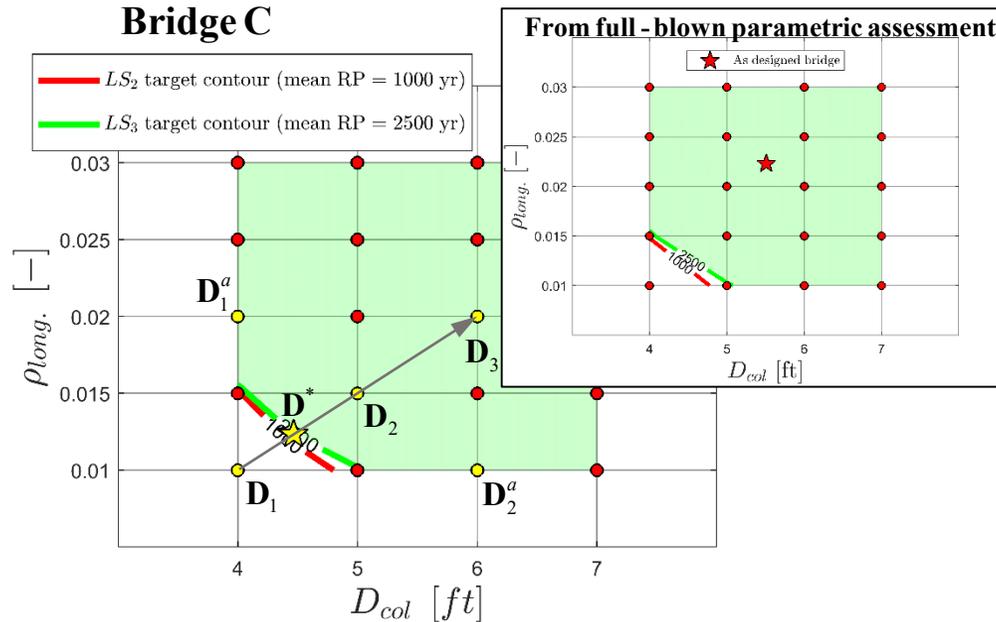
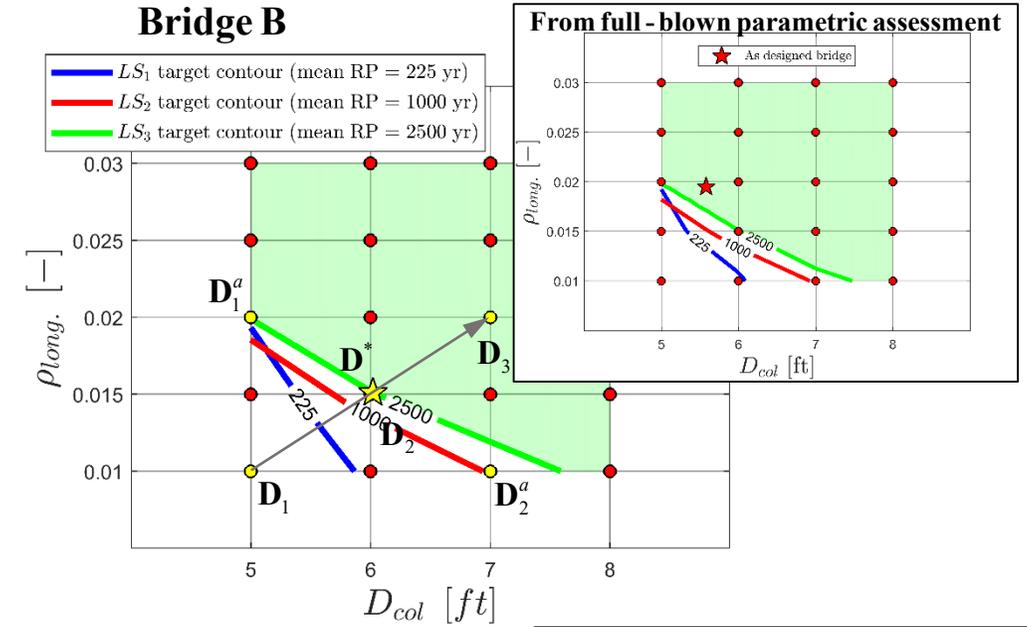
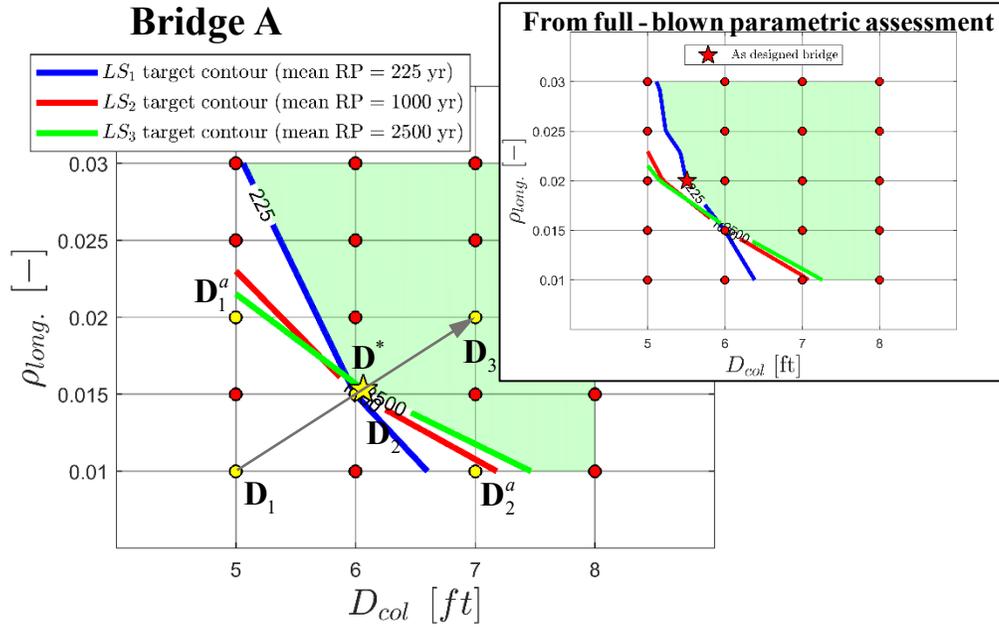
From full-blown parametric assessment



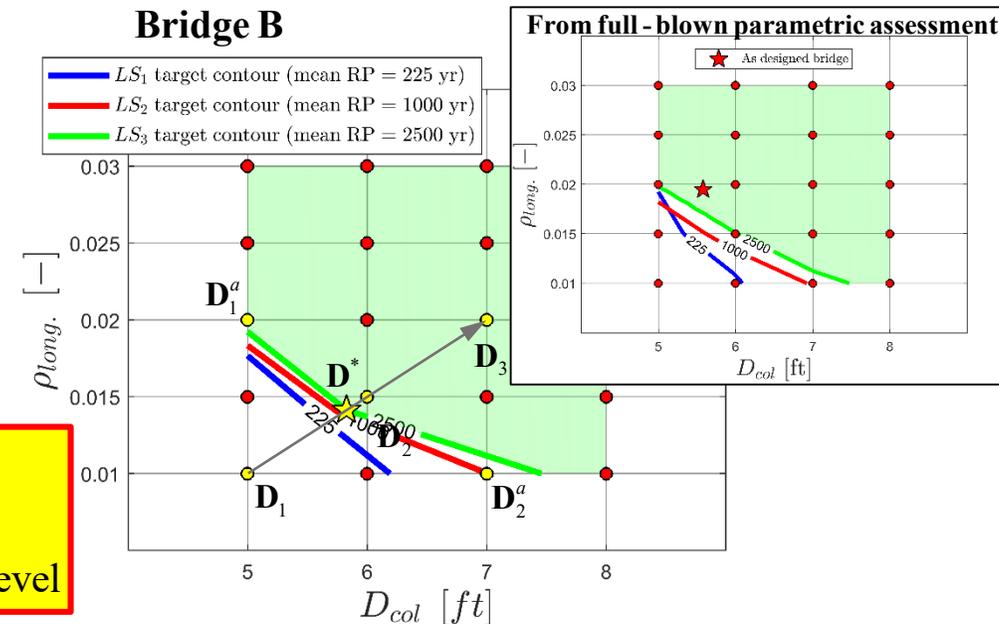
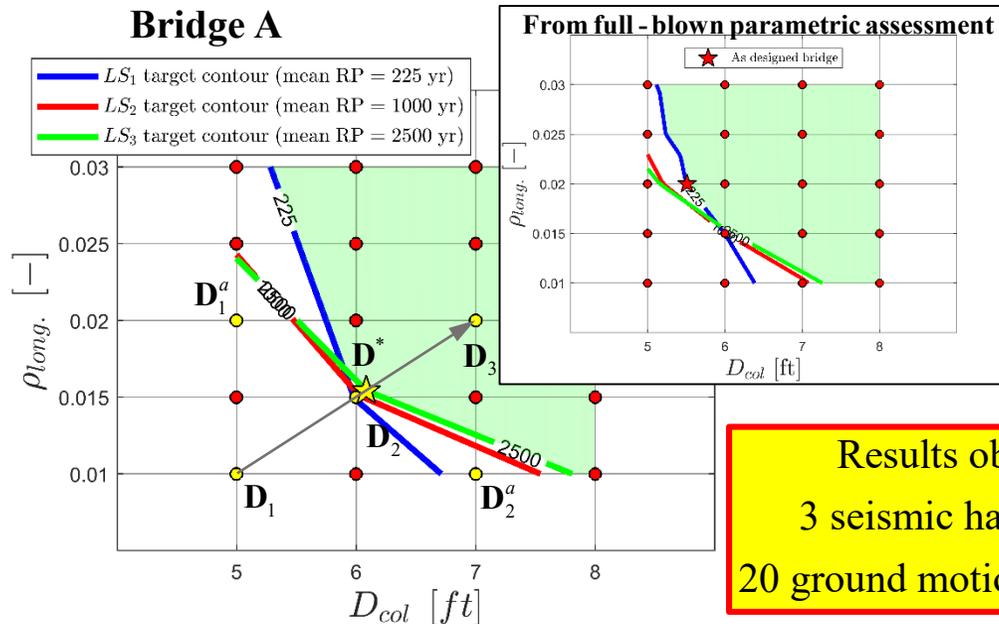
Consider LS_2



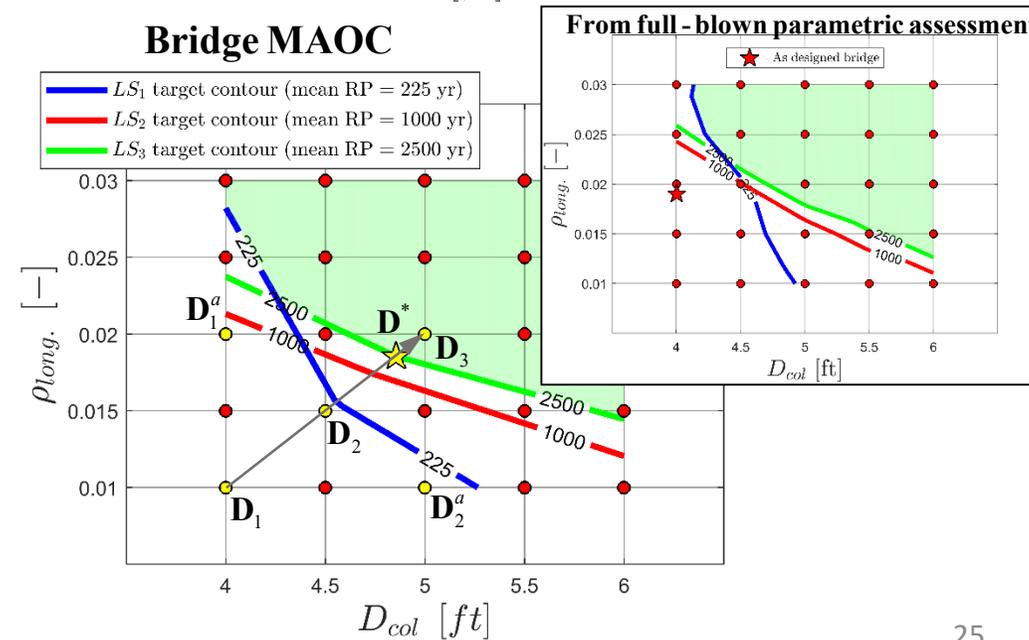
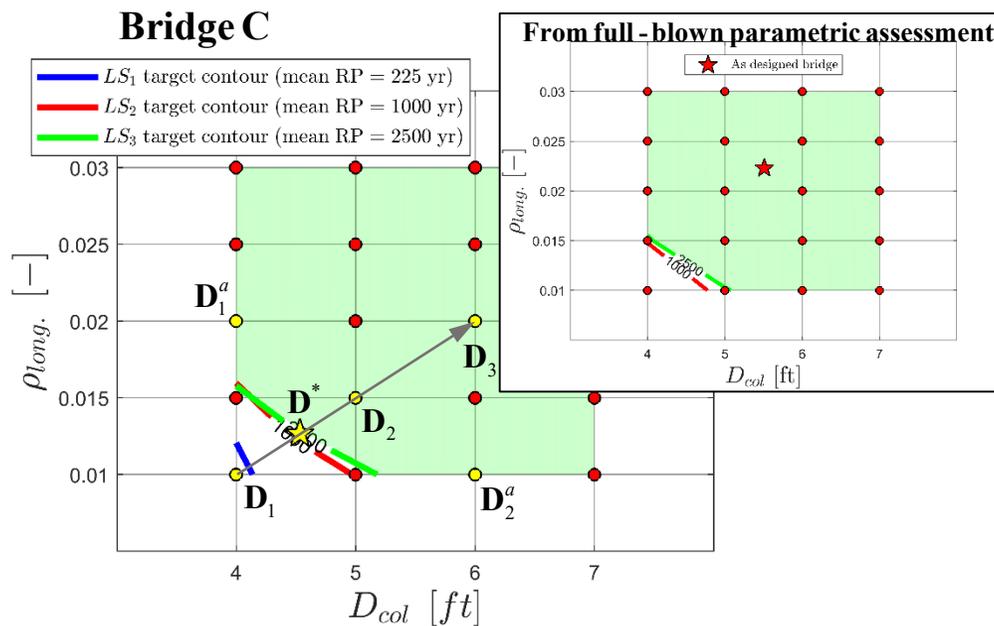
Development of Simplified Risk-Targeted PBSD Procedure: Approximate Feasible Design Domains



Development of Simplified Risk-Targeted PBSD Procedure: Reduction in Computational Workload



Results obtained using
3 seismic hazard levels and
20 ground motions per hazard level



Conclusions & Future Research Needs

Concluding Remarks

- **Full-fledged probabilistic performance assessment of four Ordinary Standard Bridge (OSB) Testbeds in California using improved version of the PEER PBEE framework.**
 - ✓ **Improved IM.**
 - ✓ **Seismic hazard curve for improved IM.**
 - ✓ **Conditional mean spectrum-based, site-specific, hazard/risk-consistent ground motion selection.**
 - ✓ **Limit-states considered for RC bridge columns: (1) concrete cover crushing, (2) precursor to longitudinal rebar buckling, (3) a precursor to longitudinal rebar fracture.**
 - ✓ **Material strain-based EDPs.**
 - ✓ **Normalized strain-based fragility functions.**
- **Parametric full-fledged probabilistic performance assessment of four considered OSBs using a fully automated workflow.**
 - ✓ **Investigate the effects of key structural design parameters on the mean RPs of limit-state exceedances.**
 - ✓ **Topologies and contours of mean return period surfaces in the primary design parameter space.**
 - ✓ **Target mean return periods of limit-state exceedances and feasible design domains.**
 - ✓ **Full-fledged risk-targeted design framework.**
- **As-designed OSB testbed bridges considered exhibit significant variability in seismic performance as measured by the mean RPs of exceeding the selected set of limit-states.**

Concluding Remarks & Future Research Needs

- Distilled out **computationally more economical, simplified, non-traditional, risk-targeted PBSD method**, building on the comprehensive probabilistic PEER PBEE framework, for Ordinary Standard Bridges (OSBs) in California.
 - ✓ **Find a design point** in the primary design parameter space.
 - ✓ **Delineate approximate, sufficiently accurate, feasible design domain.**
- **Future Research Needs:**
 - ✓ Incorporation of **(1) model parameter uncertainty, (2) parameter estimation uncertainty, and (3) modeling uncertainty.**
 - ✓ **Explicit probabilistic treatment of near fault effects.**
 - ✓ **Risk-targeted PBSD in terms of loss variables (e.g., life-cycle repair costs, downtime)**
 - ✓ **Probabilistic explicit determination of secondary design variables** to prevent undesirable failure modes with some specified level of confidence.
 - ✓ Extend proposed simplified PBSD method to accommodate **more than two primary design variables**, especially for **non-ordinary, more complex bridges.**

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Tom Ostrom (Caltrans)

Tom Shantz (Caltrans)

Charles Sikorsky (Caltrans)

Thank you!



Improved Seismic Intensity Measure

➤ Geometric mean of spectral accelerations at different periods (T_1, \dots, T_n):

$$IM : S_{a, avg} (T_1, \dots, T_n) = \left[\prod_{k=1}^n S_a (T_k) \right]^{\frac{1}{n}}$$

Ref.: Kohrangi, Bazzurro and Vamvatsikos (2016)

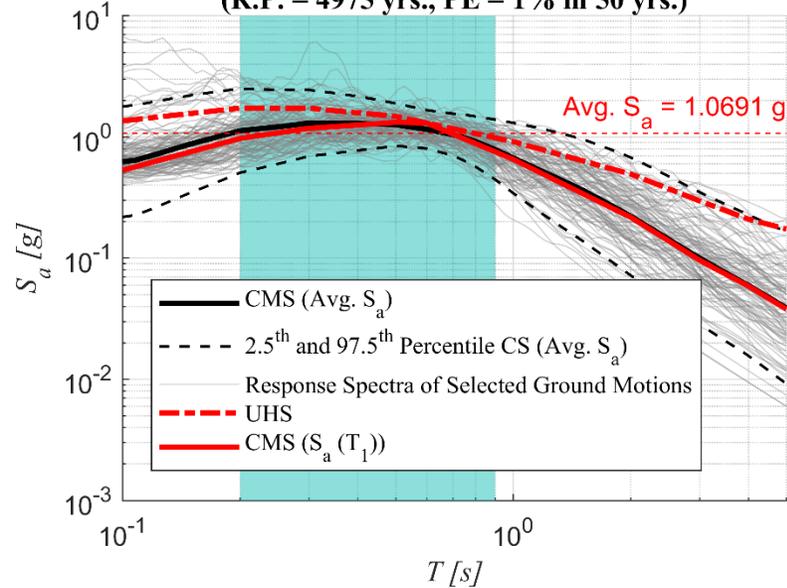
$$\begin{aligned} \nu_{S_{a, avg}} (s_a) &= \sum_{i=1}^{N_{faults}} \nu_i \int_{R_i} \int_{M_i} P \left[\left[\prod_{k=1}^n S_a (T_k) \right]^{\frac{1}{n}} > s_a \mid M_i = m, R_i = r \right] \cdot f_{M_i} (m) \cdot f_{R_i} (r) \cdot dm \cdot dr \\ &= \sum_{s=1}^{N_{scenarios}} P \left[\left[\prod_{k=1}^n S_a (T_k) \right]^{\frac{1}{n}} > s_a \mid \text{Scenario}_s \right] \cdot \text{Rate}(\text{Scenario}_s) \end{aligned}$$

Risk - Consistent Ground Motion Ensembles

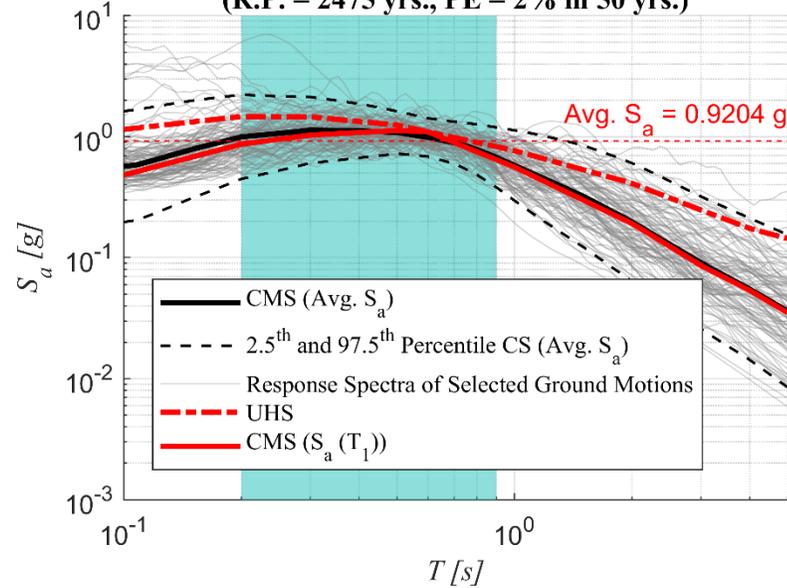
Refs.: Baker and Jayaram (2011)

Kohrangi, Bazzurro, Vamvatsikos, and Spillatura (2017)

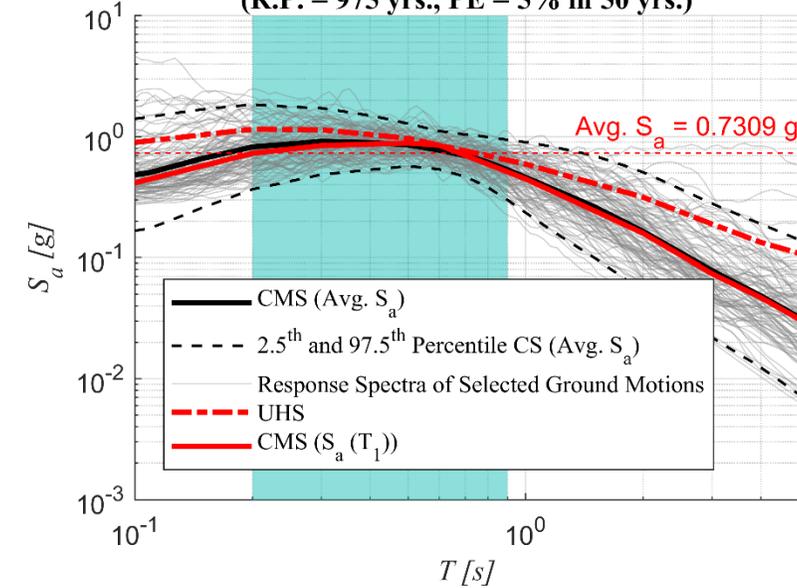
Pseudo Acceleration Response Spectrum (Bridge B)
(R.P. = 4975 yrs., PE = 1% in 50 yrs.)



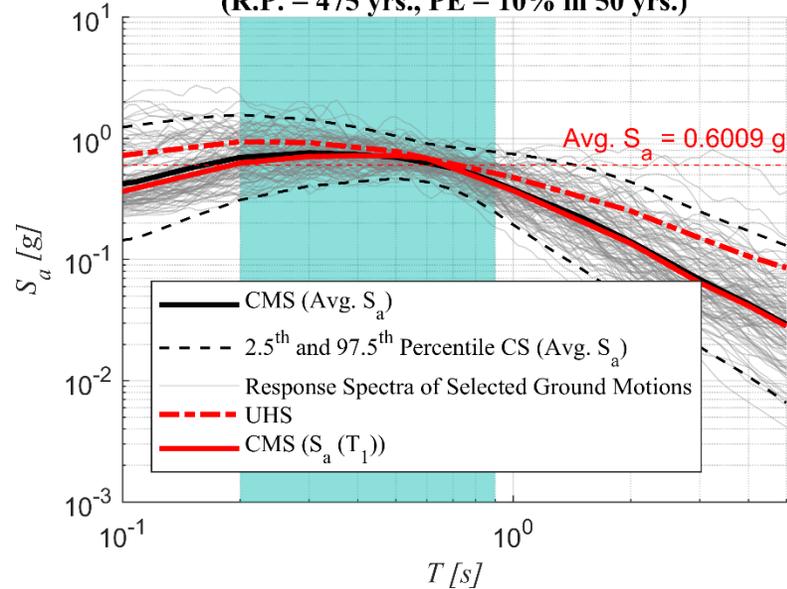
Pseudo Acceleration Response Spectrum (Bridge B)
(R.P. = 2475 yrs., PE = 2% in 50 yrs.)



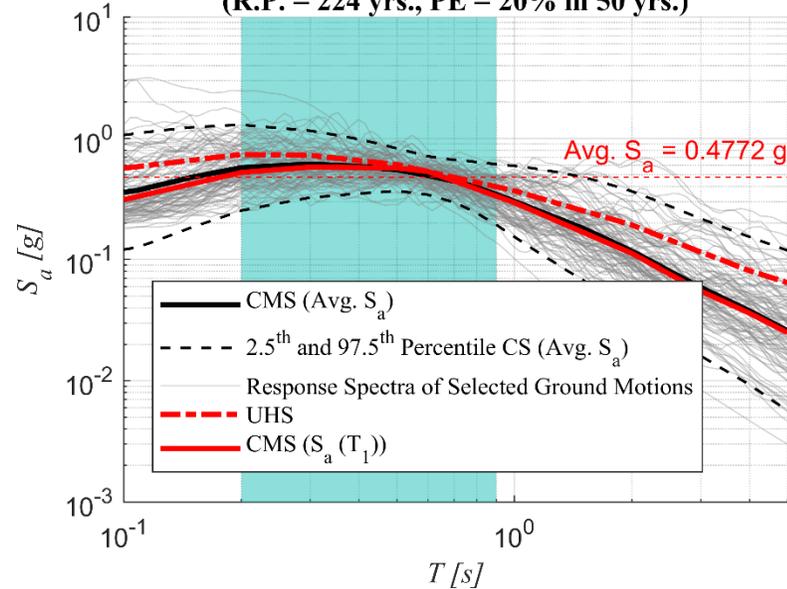
Pseudo Acceleration Response Spectrum (Bridge B)
(R.P. = 975 yrs., PE = 5% in 50 yrs.)



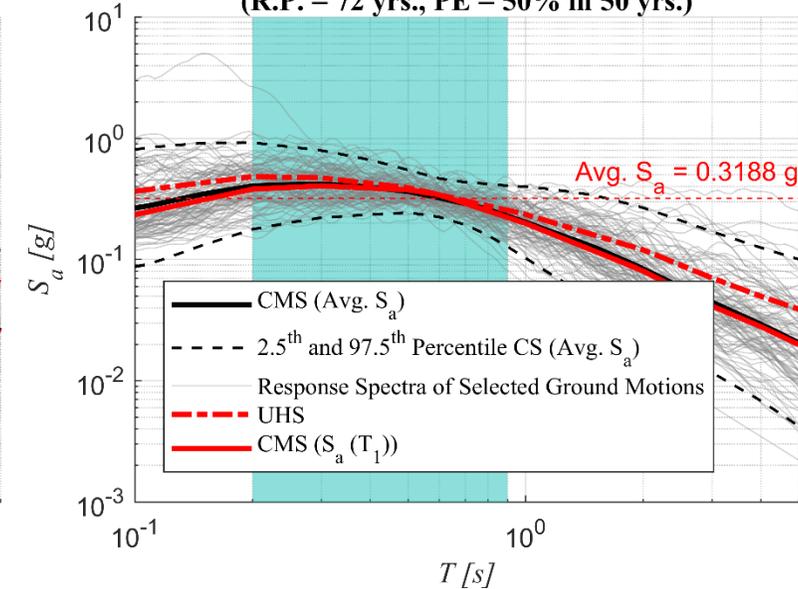
Pseudo Acceleration Response Spectrum (Bridge B)
(R.P. = 475 yrs., PE = 10% in 50 yrs.)



Pseudo Acceleration Response Spectrum (Bridge B)
(R.P. = 224 yrs., PE = 20% in 50 yrs.)



Pseudo Acceleration Response Spectrum (Bridge B)
(R.P. = 72 yrs., PE = 50% in 50 yrs.)

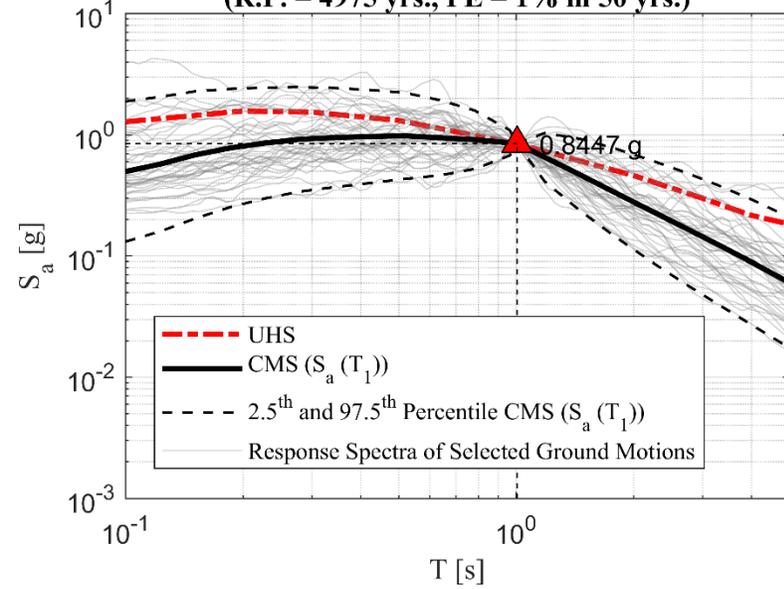


Note: Previously, ensembles of 40 ground motions were selected based on CMS ($IM = S_a(T_1 = 1.0s)$); T_1 changed following a model update.

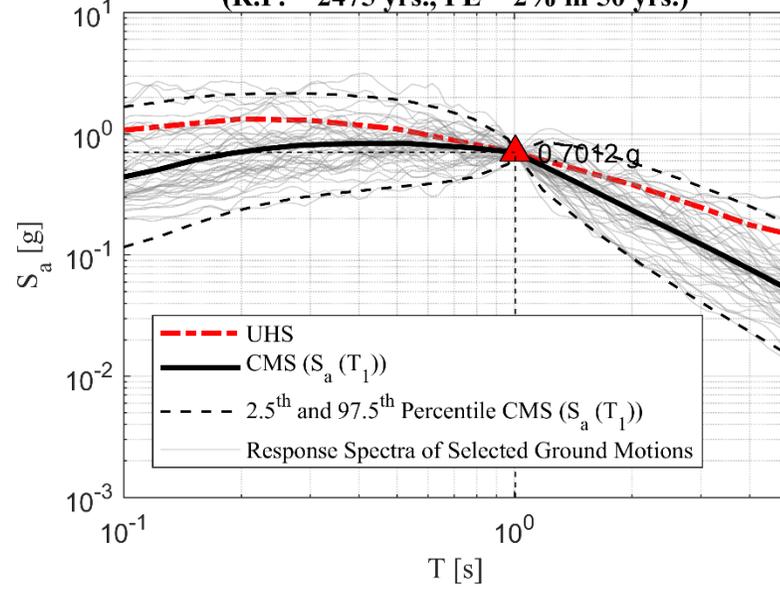
Previously Selected IM and Ground Motion Ensembles

Ref.: Baker and Jayaram (2011)

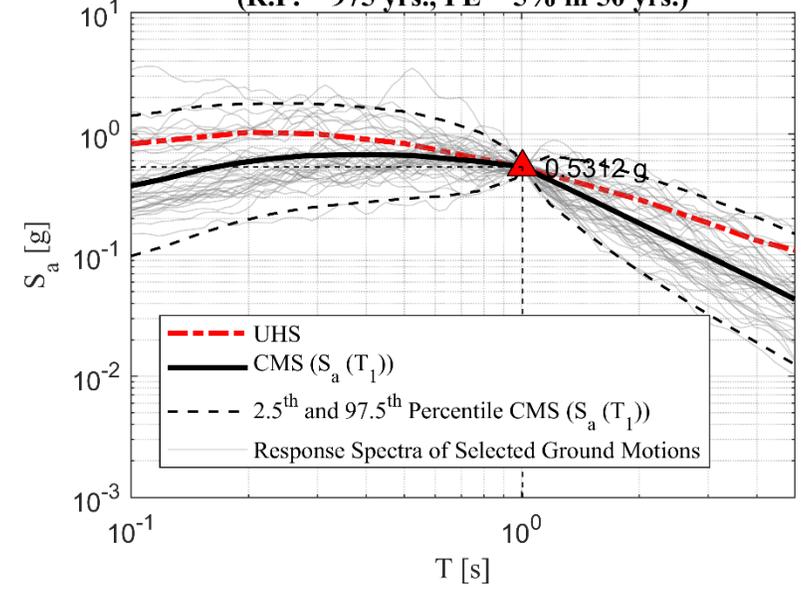
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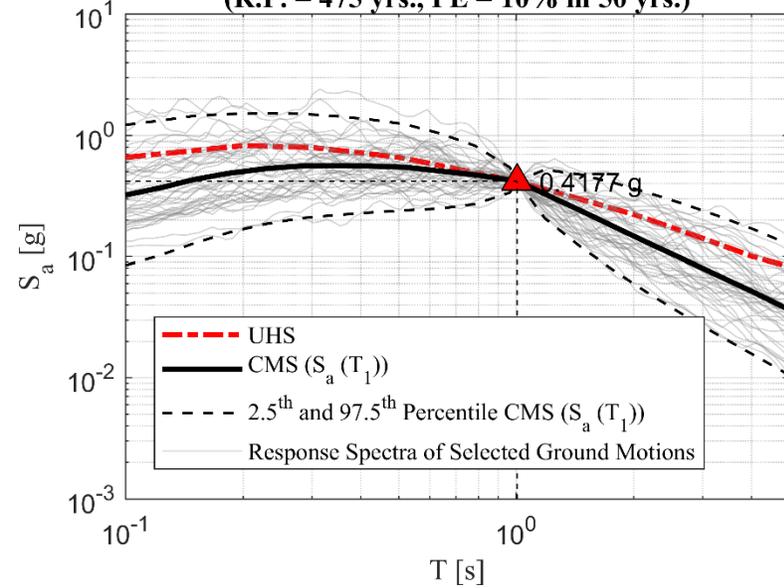
Pseudo Acceleration Response Spectrum (Bridge B)
(R.P. = 2475 yrs., PE = 2% in 50 yrs.)



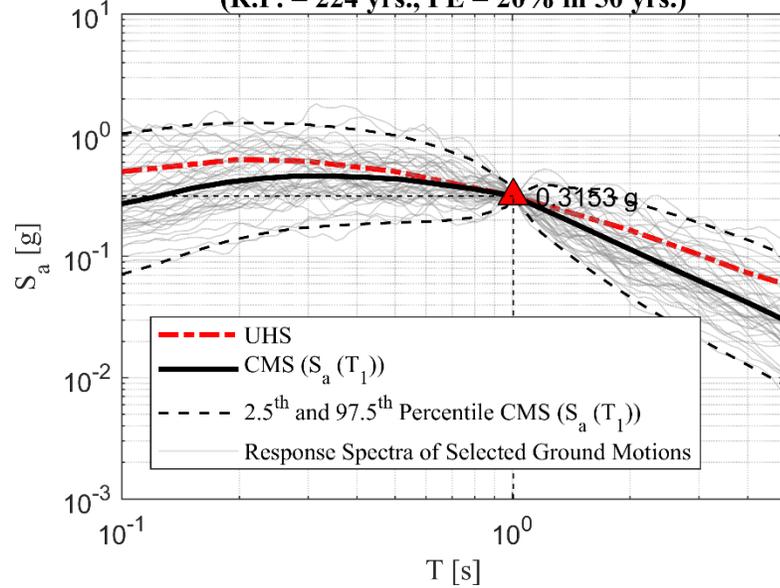
Pseudo Acceleration Response Spectrum (Bridge B)
(R.P. = 975 yrs., PE = 5% in 50 yrs.)



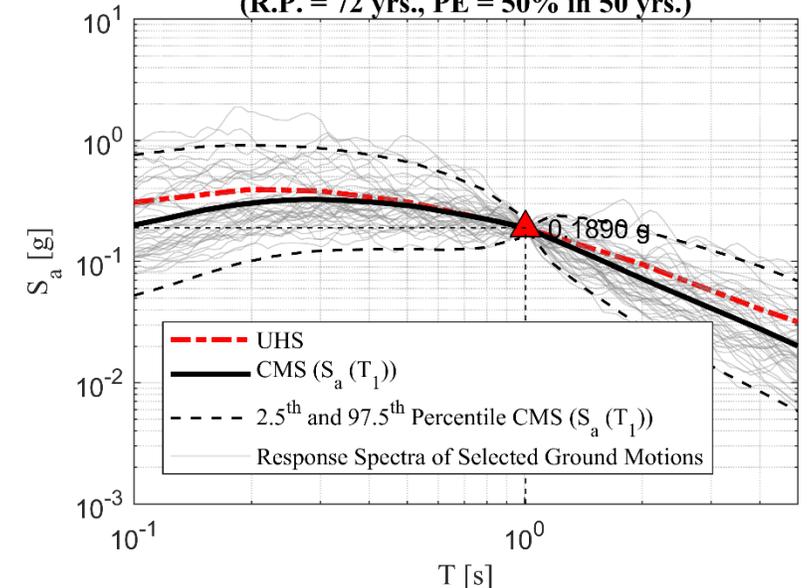
Pseudo Acceleration Response Spectrum (Bridge B)
(R.P. = 475 yrs., PE = 10% in 50 yrs.)



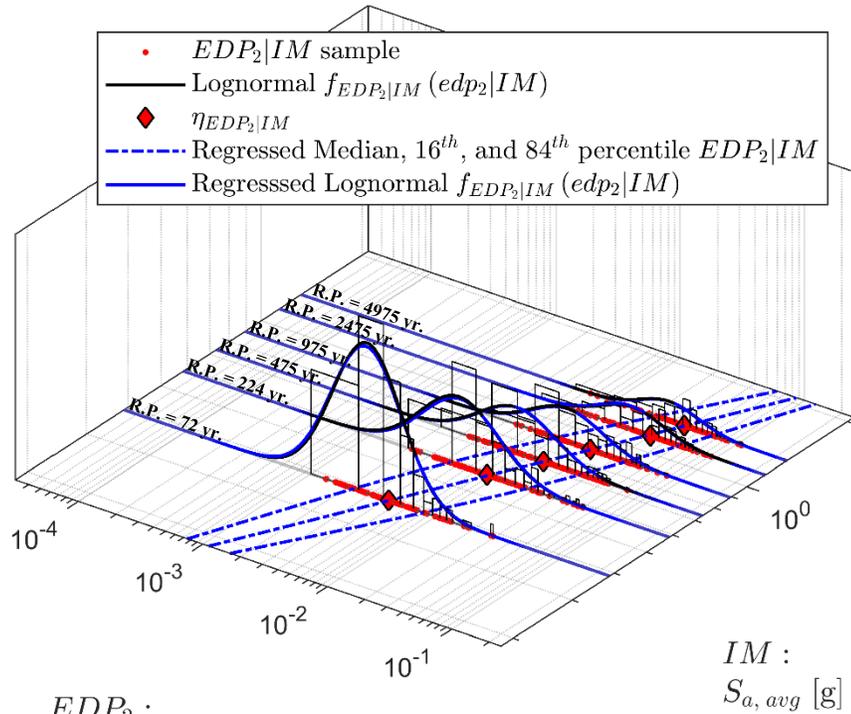
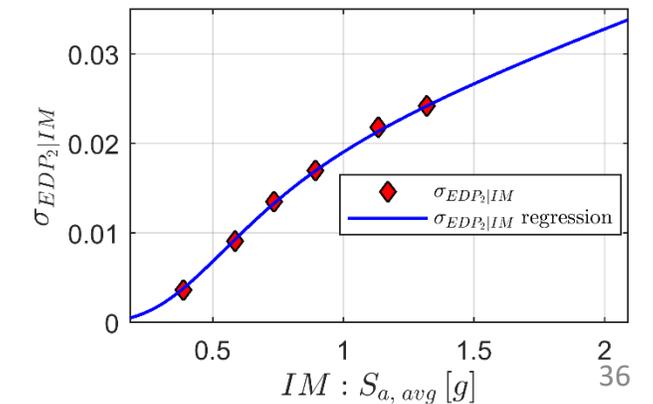
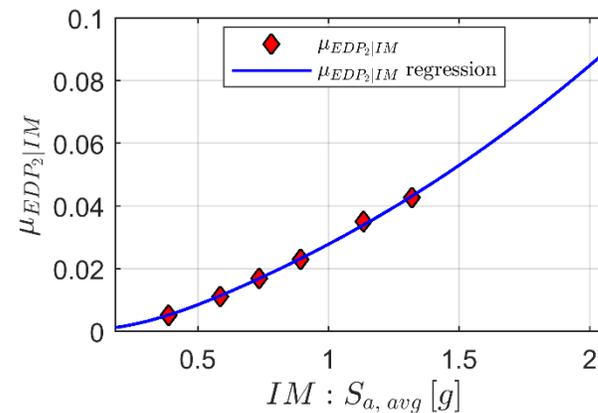
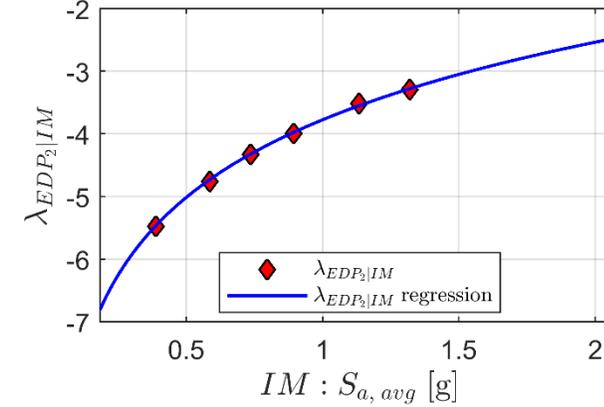
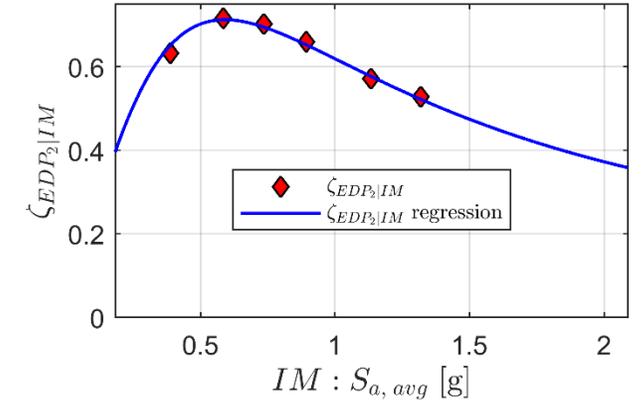
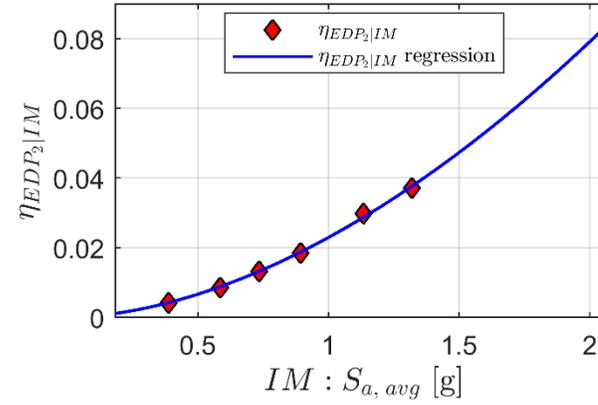
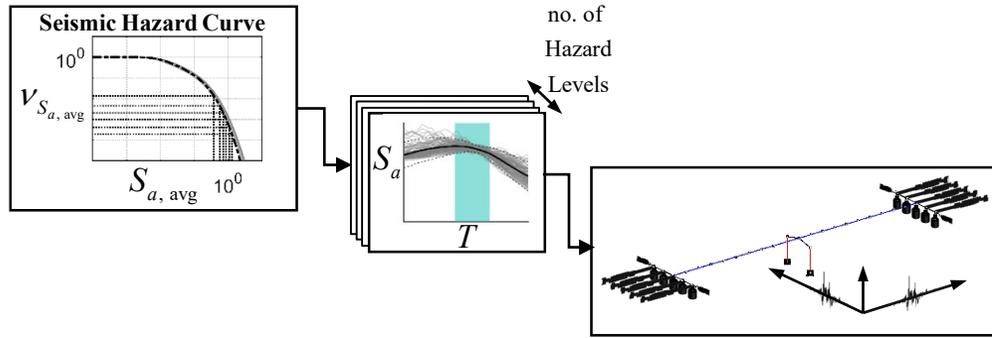
Pseudo Acceleration Response Spectrum (Bridge B)
(R.P. = 224 yrs., PE = 20% in 50 yrs.)



Pseudo Acceleration Response Spectrum (Bridge B)
(R.P. = 72 yrs., PE = 50% in 50 yrs.)



Probabilistic Seismic Demand Hazard Analysis

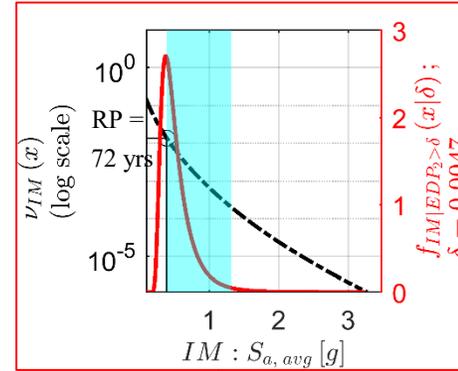


$$EDP_2 : \max_{column} \left(\max_{bar} \left(\max_t \varepsilon_{tensile}^{bar}(t) \right) \right)$$

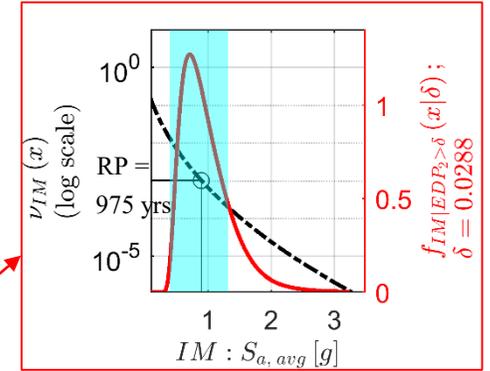
Probabilistic Seismic Demand Hazard Analysis

$$v_{EDP_k}(\delta) = \int_{IM} P[EDP_k > \delta | IM = x] \cdot \underbrace{dv_{IM}(x)}_{|v_{IM}(x+dx) - v_{IM}(x)|}$$

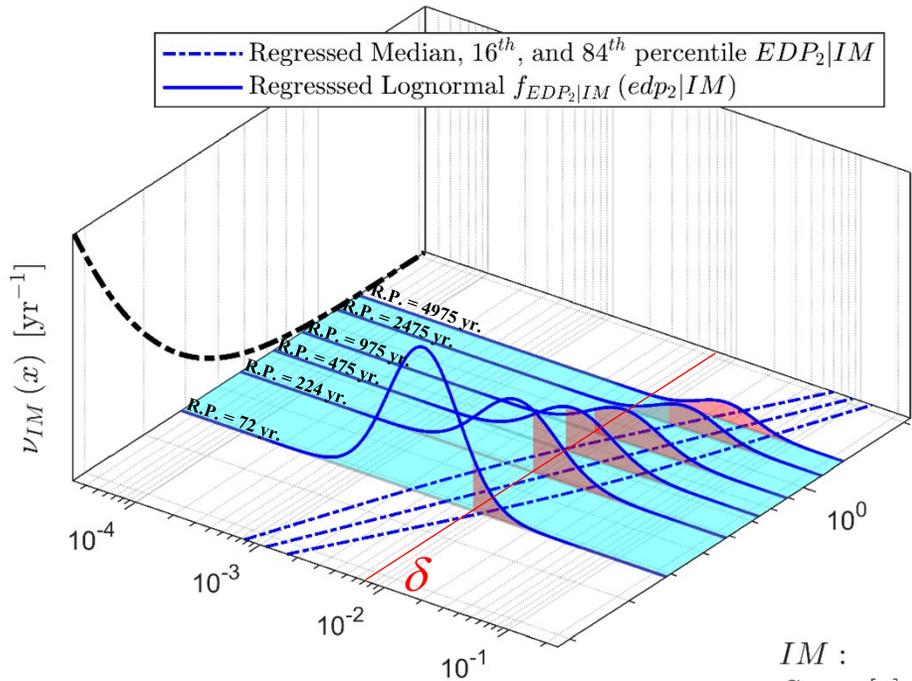
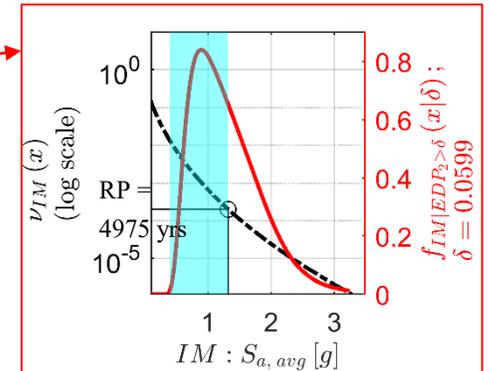
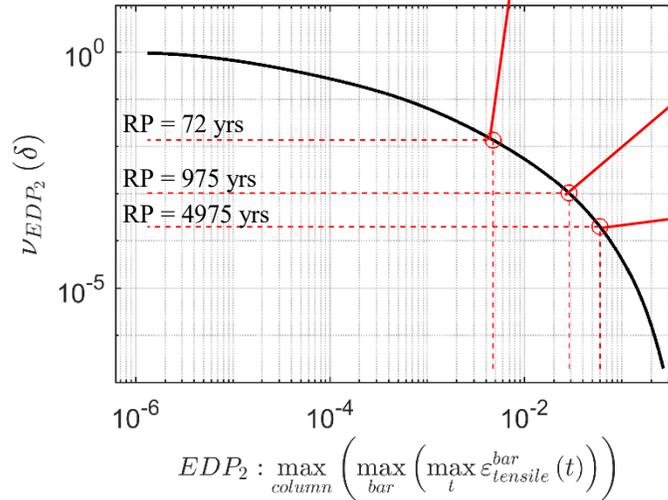
$$|v_{IM}(x+dx) - v_{IM}(x)|$$



IM Deaggregation of Demand Hazard



Demand Hazard Curve



$$EDP_2 : \max_{column} \left(\max_{bar} \left(\max_t \left(\epsilon_{tensile}^{bar}(t) \right) \right) \right)$$

$$IM : S_{a, avg} [g]$$

Probabilistic Seismic Demand and Capacity

Probability density function of EDP_k :

$$f_{EDP_k}(\delta) = \frac{d}{d\delta} \left(\underbrace{1 - \frac{v_{EDP_k}(\delta)}{v_{IM}(x=0)}}_{F_{EDP_k}(\delta)} \right)$$

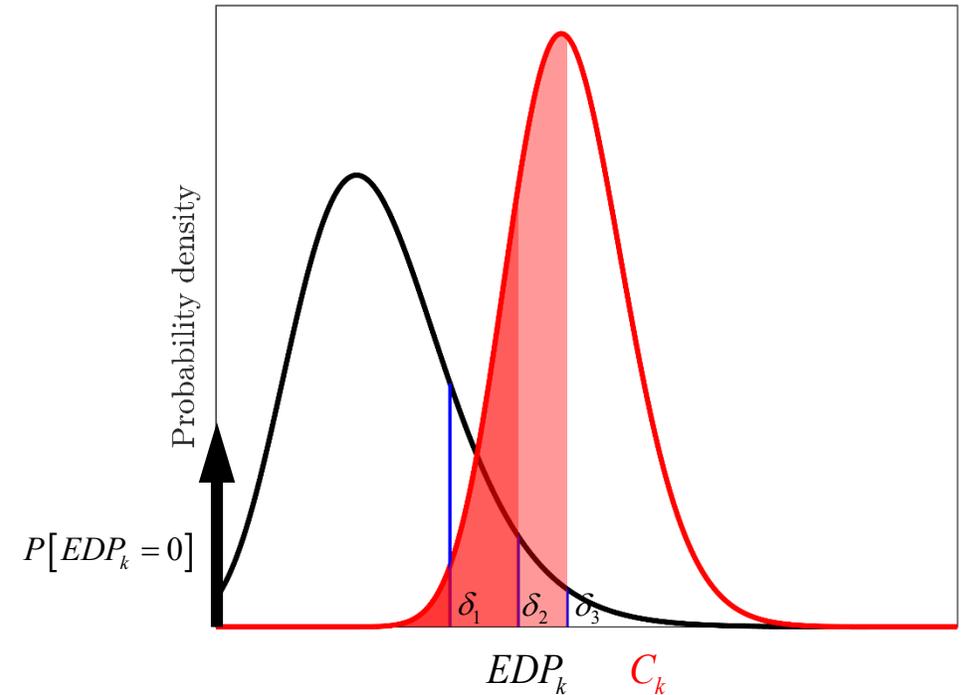
Probability of LS exceedance :

For k^{th} limit-state,

$$P[LS \text{ exceedance}] = P[C_k < EDP_k]$$

$$= \int_{\delta} \underbrace{P[C_k < EDP_k | EDP_k = \delta]}_{\text{Fragility Function}} \cdot f_{EDP_k}(\delta) \cdot d\delta$$

Fragility Function



Limit-States: Limit State – 4 (Displacement-based)

➤ Exterior shear key reaching its shear strength capacity

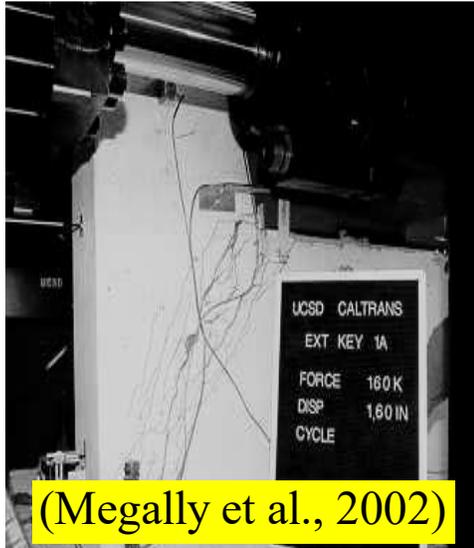
Predictive Capacity Model:

$$EDP_{C_4}^{PRED} = \Delta_C^{SK} = \sqrt{2} \varepsilon_y (L_d + b) \frac{h + d_1}{s}$$

(Megally, et al., 2002)

Non-isolated shear key

Isolated shear key

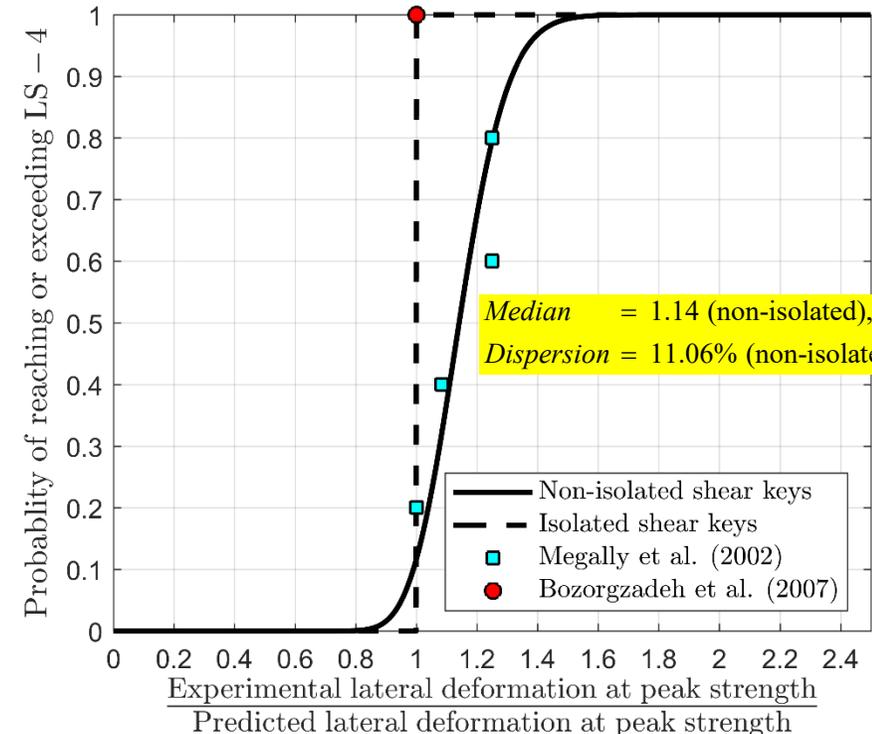
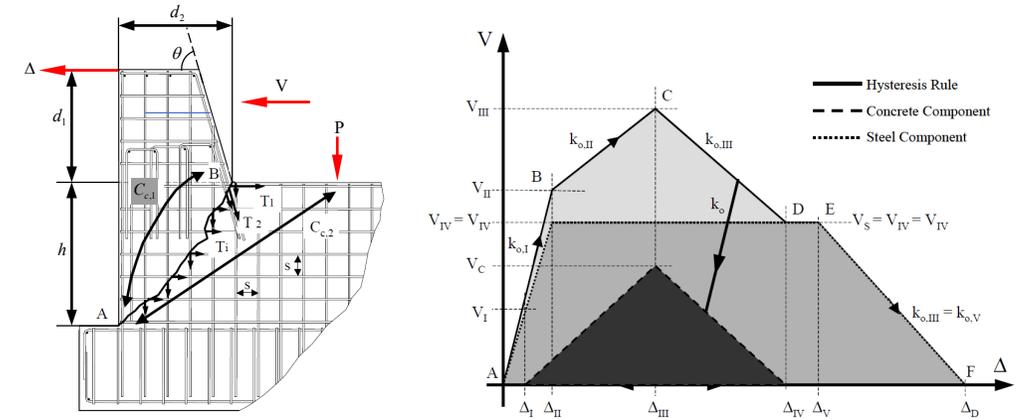


(Megally et al., 2002)



(Bozorgzadeh et al., 2007)

(Megally et al., 2002)



Concluding Remarks

- **Assessment of four Ordinary Standard Bridge (OSB) Testbeds in California using improved version of the PEER PBEE framework.**
 - ✓ Use of an **improved IM** consisting of the average spectral acceleration over a specified period range.
 - ✓ Derivation of **seismic hazard curve for improved IM** in terms of the results of standard PSHA for spectral accelerations at single periods.
 - ✓ **Conditional mean spectrum-based, site-specific, hazard/risk-consistent ground motion selection.**
 - ✓ **Limit-states considered** for RC bridge columns: (1) concrete cover crushing, (2) a precursor to longitudinal rebar buckling, (3) a precursor to longitudinal rebar fracture.
 - ✓ **Material strain-based EDPs** associated with limit-states considered.
 - ✓ **Normalized strain-based fragility functions** based on reliable experimental data or high-fidelity numerical data.
- **Parametric full-fledged probabilistic performance assessment of four considered OSBs using a fully automated workflow in parallel computing environment.**
 - ✓ Investigate the **effects of key structural design parameters parameters on the mean RPs of limit-state exceedances.**
 - ✓ **Topologies and contours of mean return period** surfaces in the primary design parameter space.
 - ✓ **Target mean return periods of limit-state exceedances and feasible design domains.**

Concluding Remarks

- **Probabilistic PBSD for California Ordinary Bridges with performance objectives explicitly stated in terms of the risk associated with the exceedance of critical damage/limit states**
 - ✓ Provides an
- Distilled out a **computationally more economical, simplified, non-traditional, risk-targeted PBSD method**, building on the comprehensive probabilistic PEER PBEE framework, for Ordinary Standard Bridges (OSBs) in California.
 - ✓ Find a design point in the primary design parameter space.
 - ✓ Delineate approximate, sufficiently accurate, feasible design domain.
- **Seismic performance of the as-designed OSB testbed bridges considered shows significant variability of seismic performance** as measured by the mean RPs of exceeding the selected set of limit-states.
 - ✓ Limit-state 1: mean RP = 150 – 1,500 years
 - ✓ Limit-state 2: mean RP = 500 – 10,000 years
 - ✓ Limit-state 3: mean RP = 1,000 – 30,000 years
 - ✓ Limit-state 4 (abutment exterior shear key reaching its shear strength capacity): 80 – 2,500 years

Concluding Remarks

- **Future research needs:**

- ✓ Incorporation of **(1) model parameter uncertainty**, **(2) parameter estimation uncertainty**, and **(3) modeling uncertainty**.
- ✓ **Explicit probabilistic treatment of near fault effects.**
- ✓ **Risk-targeted PBSD in terms of loss variables (life-cycle repair costs, downtime)**
- ✓ **Develop probabilistically explicit determination of secondary design variables** to prevent undesirable failure modes with some specified level of confidence.
- ✓ Extend proposed simplified PBSD method to accommodate **more than two primary design variables**, especially for **non-ordinary bridges**.